

Constraining cosmic growth combining WiggleZ & BOSS surveys

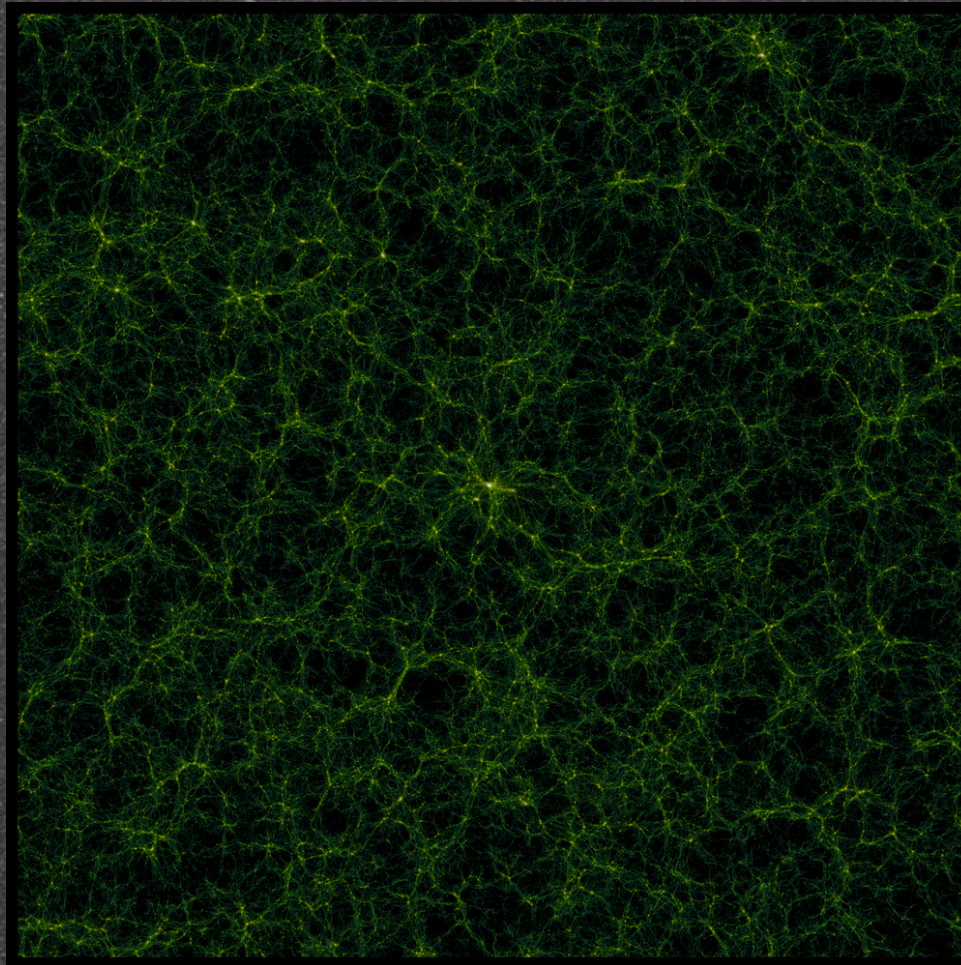
Felipe A Marín Perucci
CAS Swinburne - CAASTRO

in collaboration with C Blake, F Beutler, J Koda, E Kazin
and members of WiggleZ & BOSS teams

Modern Cosmology Workshop, Benasque
August 13, 2014

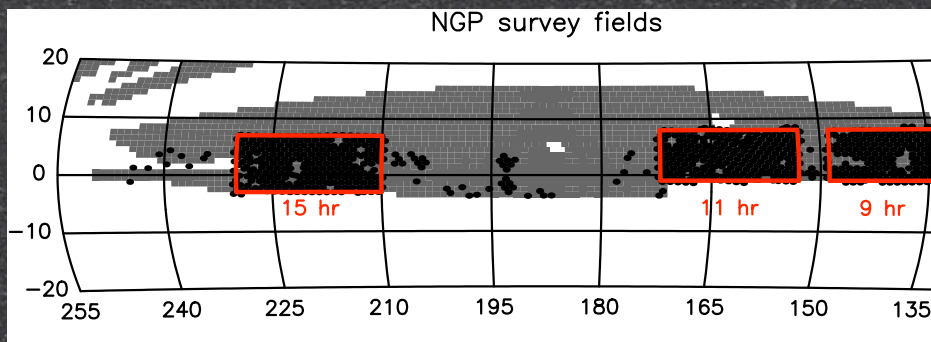
Galaxy surveys: dynamical probes of cosmology

- Primordial conditions still imprinted
- Gravity and dark matter main drivers
- Large scales: $\delta_m(k, a) = G(a, H, \Omega_i) \delta_m(k, a_0)$

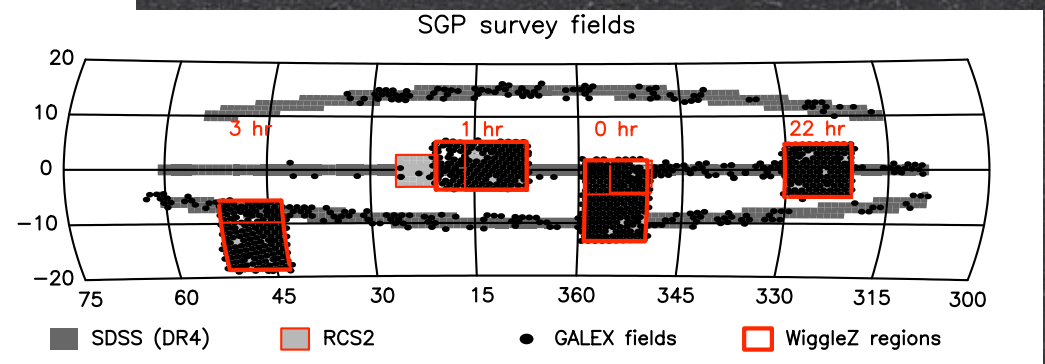


The WiggleZ Galaxy Survey

- 1000 sq deg from AAT
- 8/2006-01/2011 - Spectroscopic redshifts with AAO Multi-spectrograph
- Follow up UV-selected sources from GALEX
- Color cuts to select high- z emission-type galaxies - short exposures
- Overlap with SDSS, RCS2 fields
- 200k+ galaxies $0.1 < z < 1$

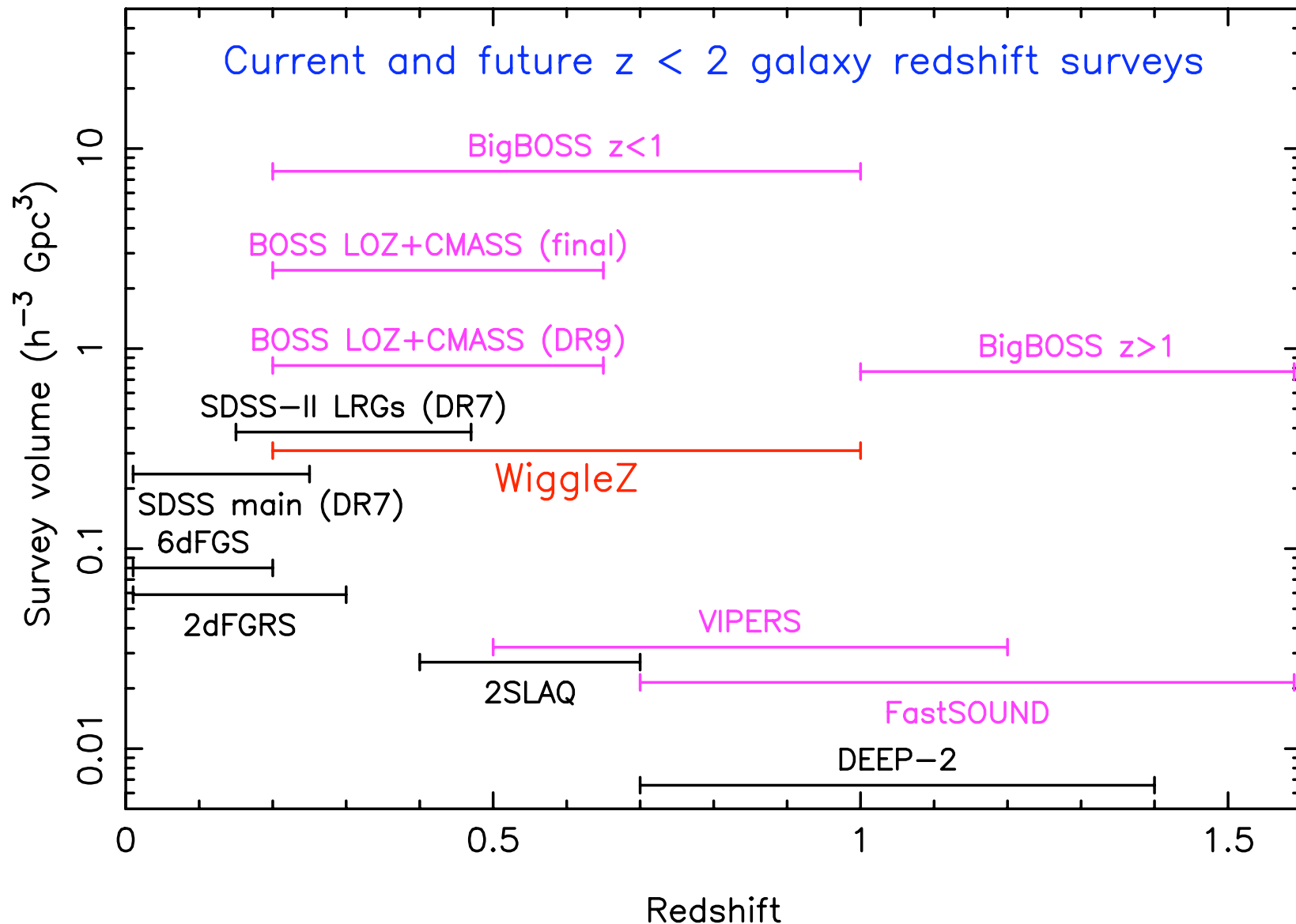


Chris Blake



Constraining growth w/WiggleZ and BOSS - Felipe Marin - Benasque, 13 August 2014

current landscape



Chris Blake

How we extract info from WiggleZ?

- assume statistical homogeneity and isotropy
- overdensity of galaxies

$$\delta_{gal} = \frac{n_{gal}(x) - \bar{n}_{gal}}{\bar{n}_{gal}}, \langle \delta_{gal}(x) \rangle = 0$$

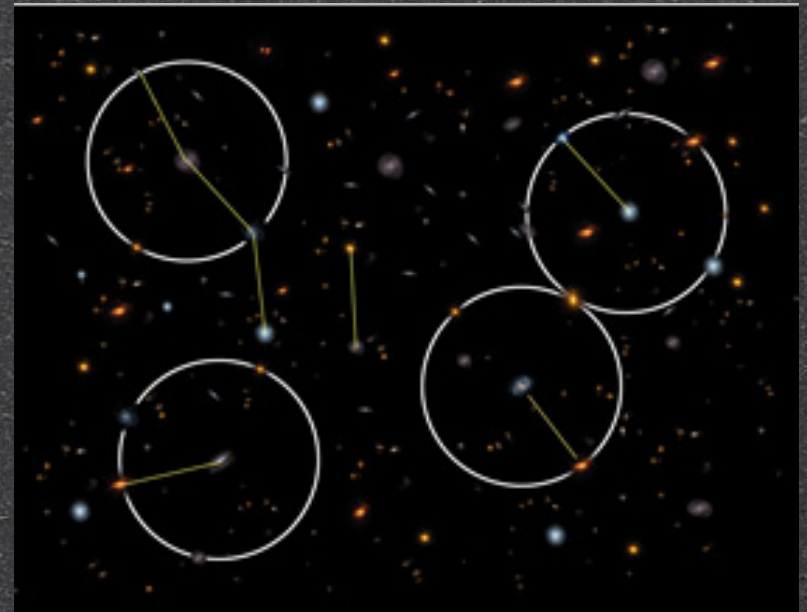
- Use clustering statistics:

- Two-point correlation function (2PCF) - configuration space

$$\xi(r) = \langle \delta_{gal}(x) \delta_{gal}(x+r) \rangle \\ \approx \frac{DD - 2DR + RR}{RR}$$

- Power Spectrum - Fourier space

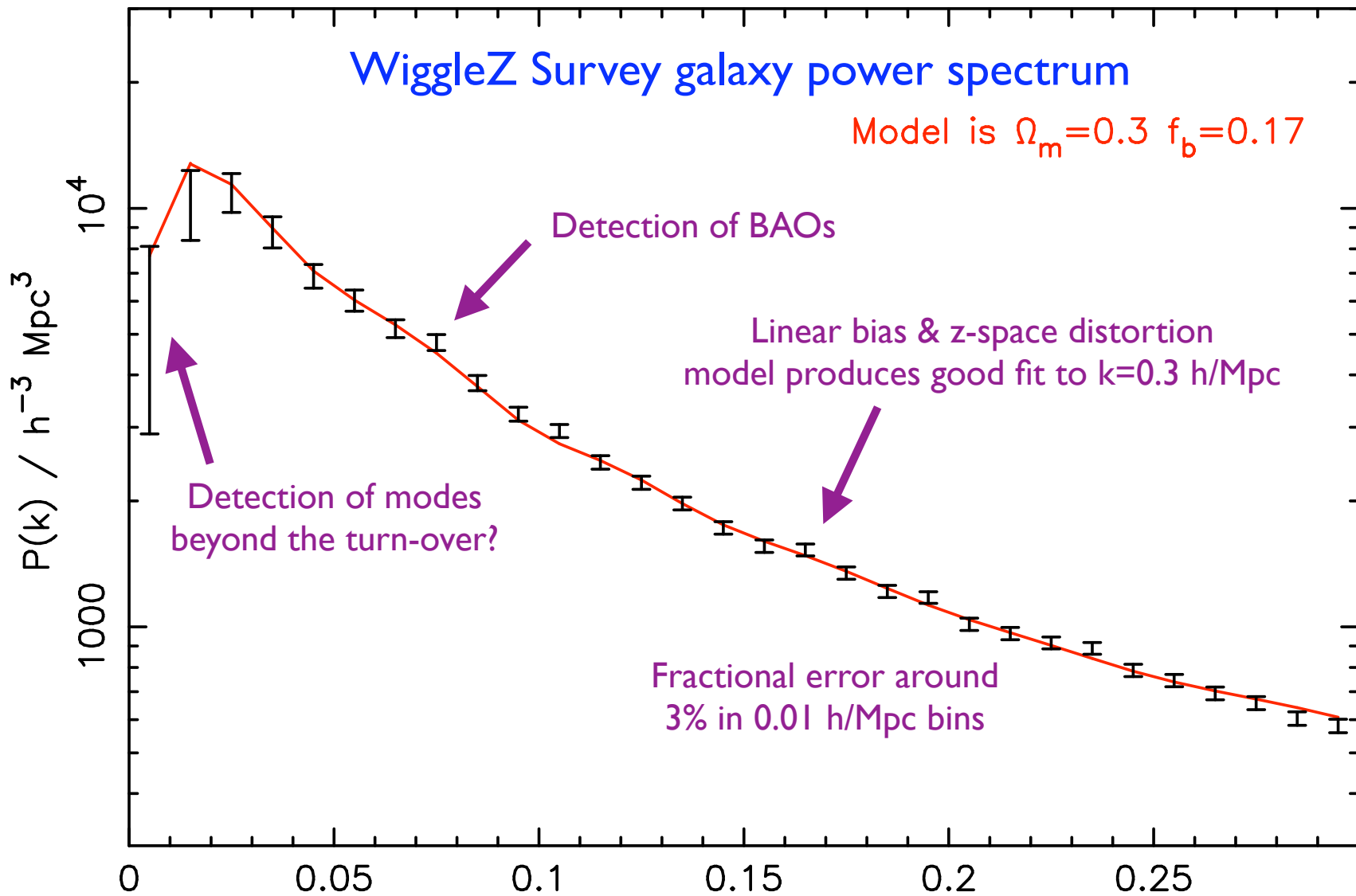
$$P(k) = \langle \delta(k) \delta(k^*) \rangle, \xi(r) = \frac{1}{2\pi^2} \int P(k) j_0(kr) k^2 dk$$



<http://www.pdl.cmu.edu>

WiggleZ Survey galaxy power spectrum

Model is $\Omega_m=0.3$ $f_b=0.17$



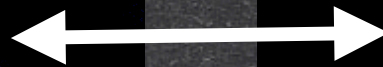
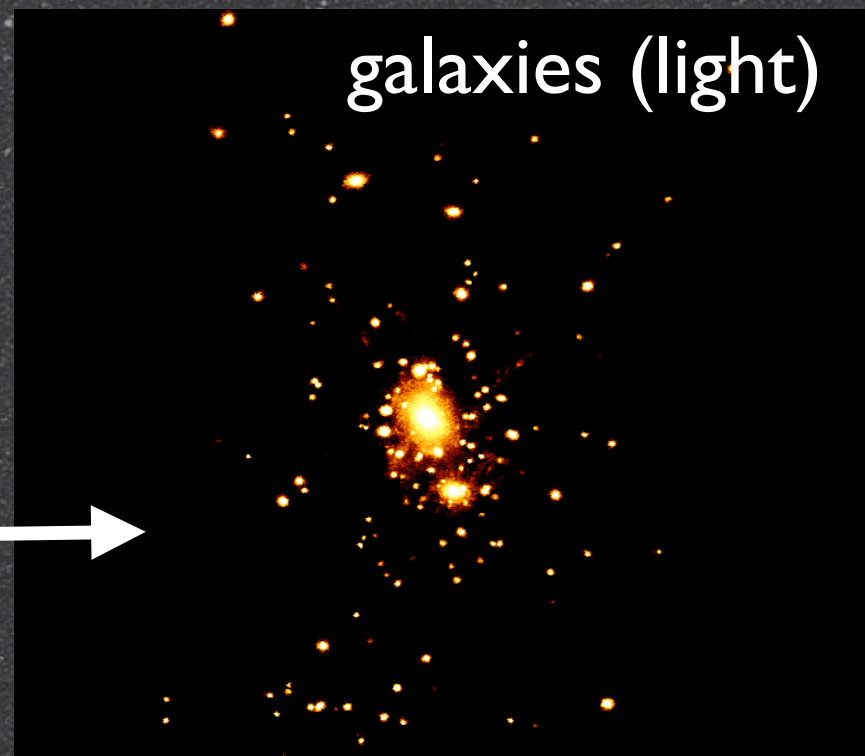
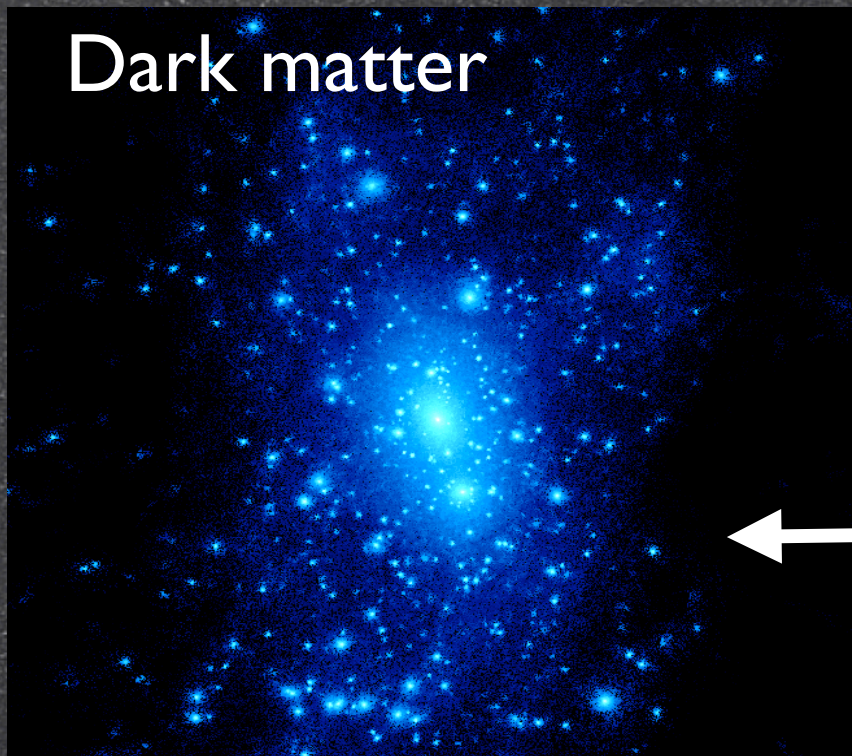
WiggleZ Survey - Chris Blake

$k / h \text{ Mpc}^{-1}$

First Challenge: Galaxy bias

- Galaxies form in dark matter halos
 - peaks of matter distribution
 - Correlation between halo mass & galaxy luminosity
 - simple model

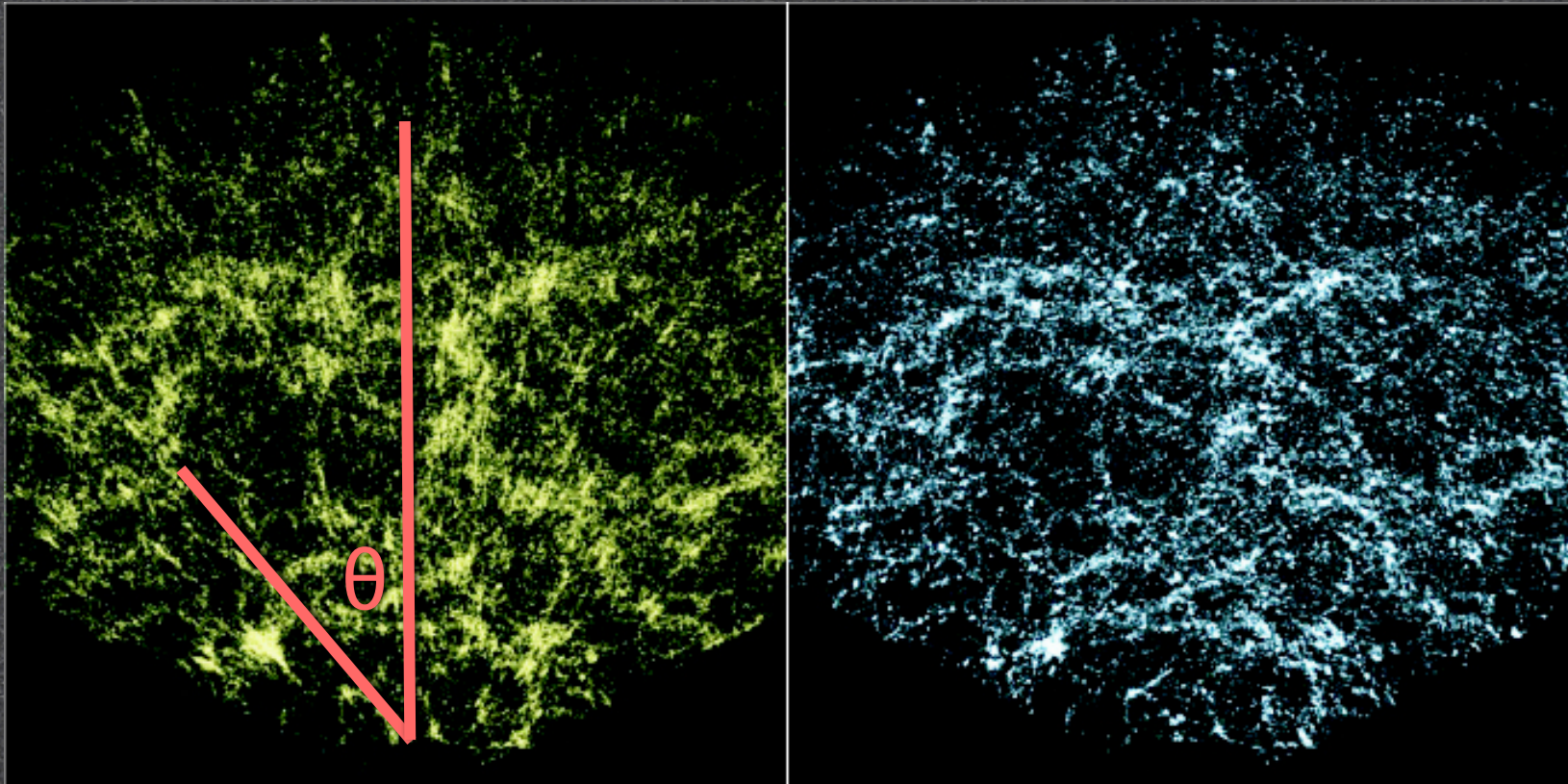
$$\delta_g = b\delta_m \Rightarrow \xi_g = b^2\xi_m$$



Redshift-space distortions

$$\mathbf{s} = \mathbf{r} + \frac{(1+z)\mathbf{v}\cdot\hat{r}}{H(z)}\hat{r} + \text{Linearized e.o.m} = \nabla \cdot \mathbf{v} = -f\delta_m$$

$$\delta_g^s(\mathbf{k}) = (b + f\mu^2)\delta_m^r(\mathbf{k}),$$

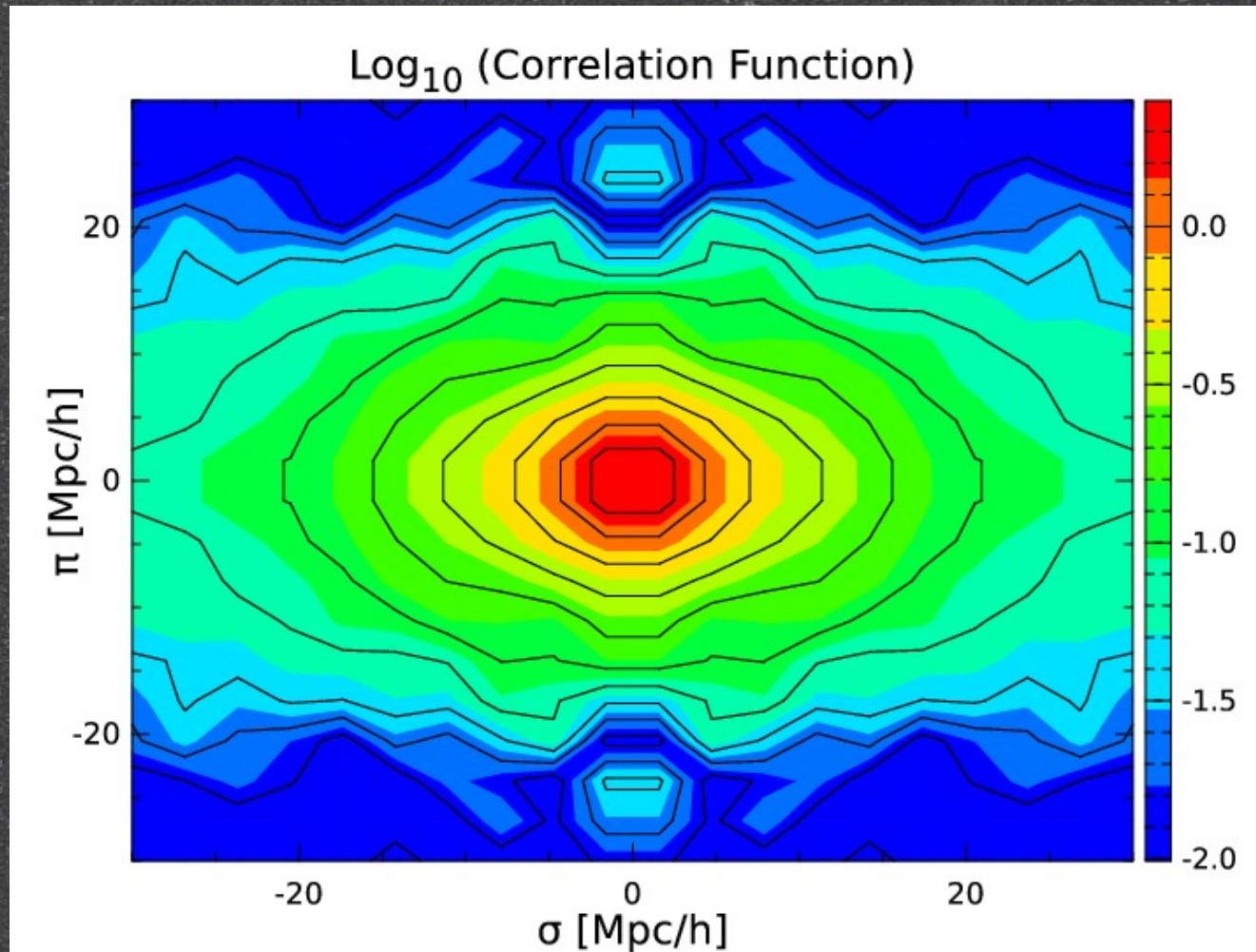


credit: M Subbarao

$$\mu = \cos \theta$$

$$f(z) \equiv \frac{d \ln G(a)}{d \ln a} \approx \Omega_m^{0.55}$$

Model WiggleZ 2-D ξ and $P(k)$

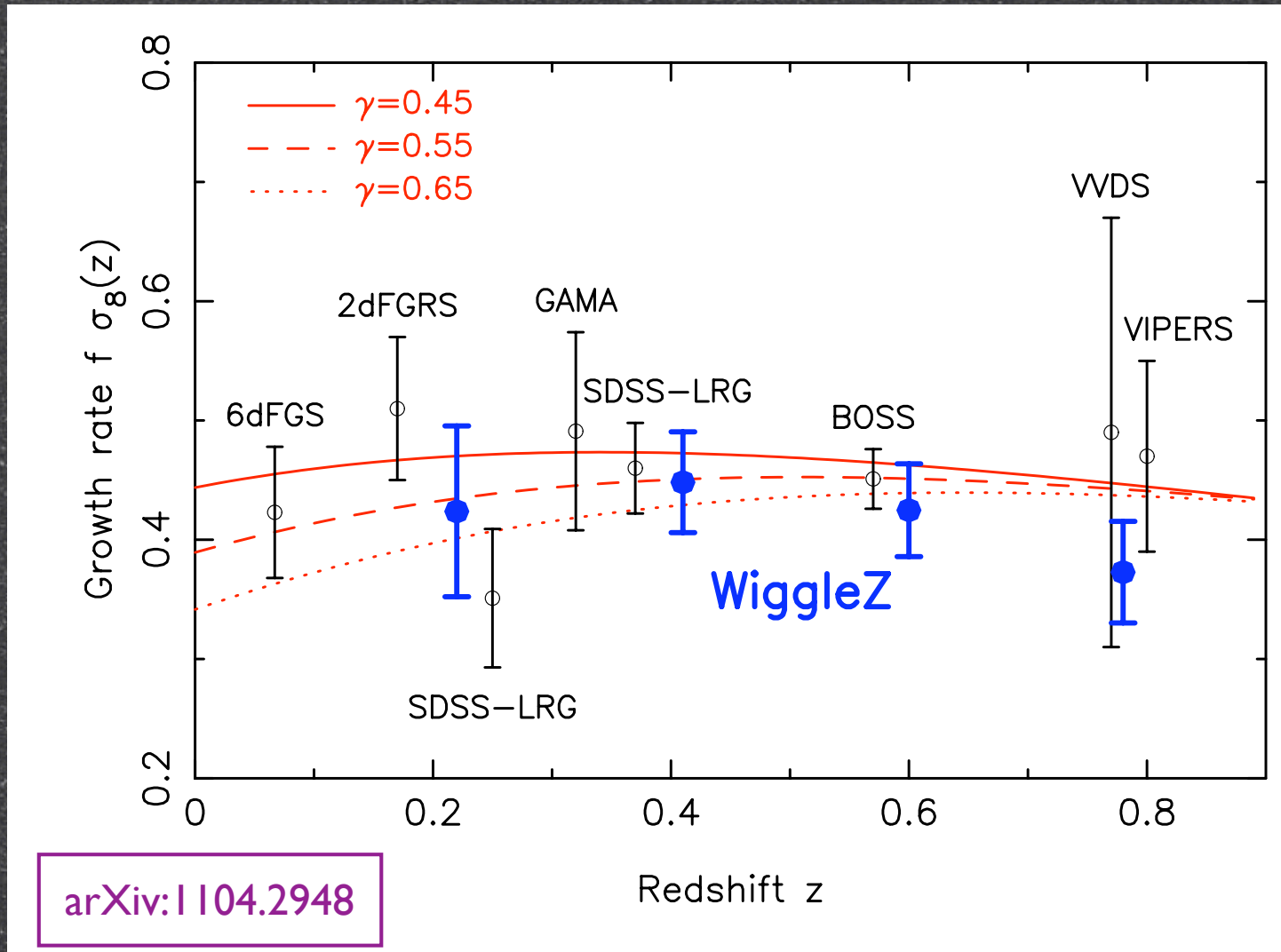


WiggleZ: Blake+ 2011, Contreras+ 2013

$$P_g^s(k, \mu) = \frac{(b + f\mu^2)^2 P_m^r(k)}{1 + [k\mu\sigma_v(1+z)/H(z)]^2}$$

Growth constraints gravity

$$f(z) \approx \Omega_m(z)^\gamma$$



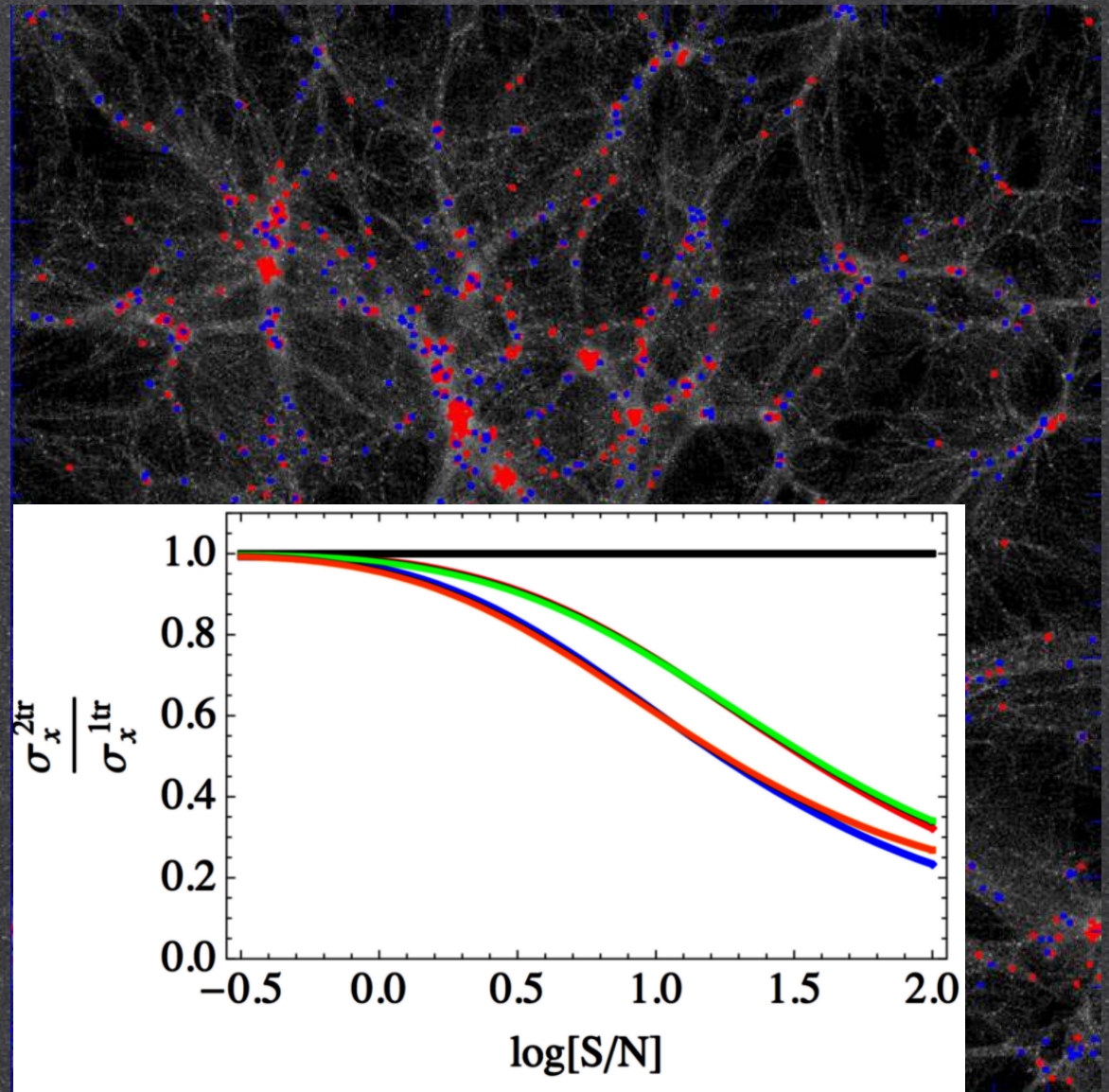
But all these measurements are independent of each other!

is there a gain to measure in overlapping volumes?

Constraining growth w/WiggleZ and BOSS - Felipe Marin - Benasque, 13 August 2014

Multiple Tracers

- Galaxies are not perfect tracers
 - Different bias
 - Stochasticity in bias
 - Shot noise
- MTs allow us to estimate systematics
- Shared cosmic variance!
If $S/N \gg 1$ and on large scales, we can get rid of cosmic variance error (McDonald & Seljak '09, Gil-Marin+ '12)
- Blake+13: 10% improvement in GAMA - needs volume & density



Gil-Marin+ 2012

credit: X Kang

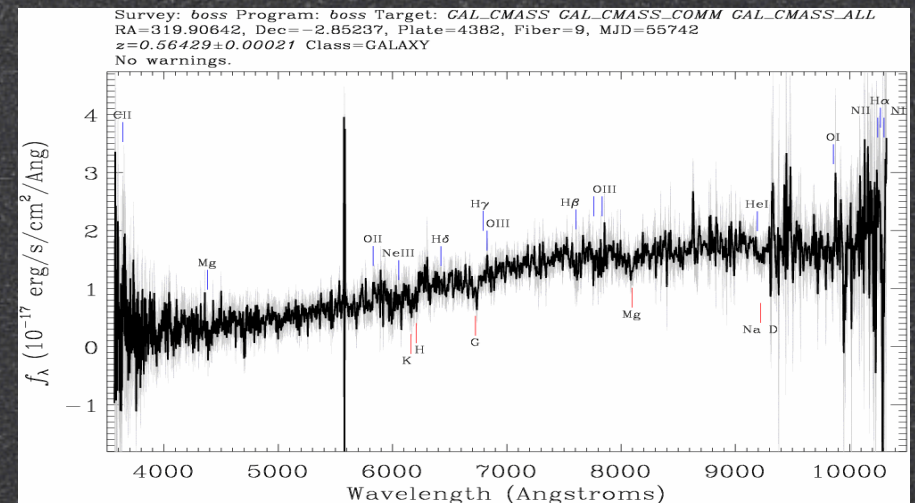
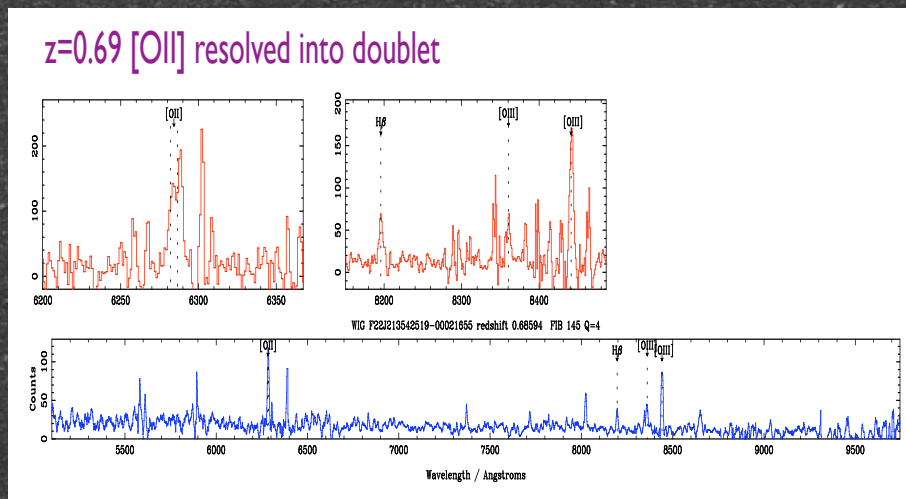
Our case

WiggleZ

- 1,000 sq deg from AAT
- Blue, emission line galaxies
- populate filaments
- 200,000 galaxies $0.2 < z < 1$
- $n \sim 2.5 \times 10^{-4} \text{ (Mpc/h)}^{-3}$
- $b \sim 1 @ z \sim 0.6$

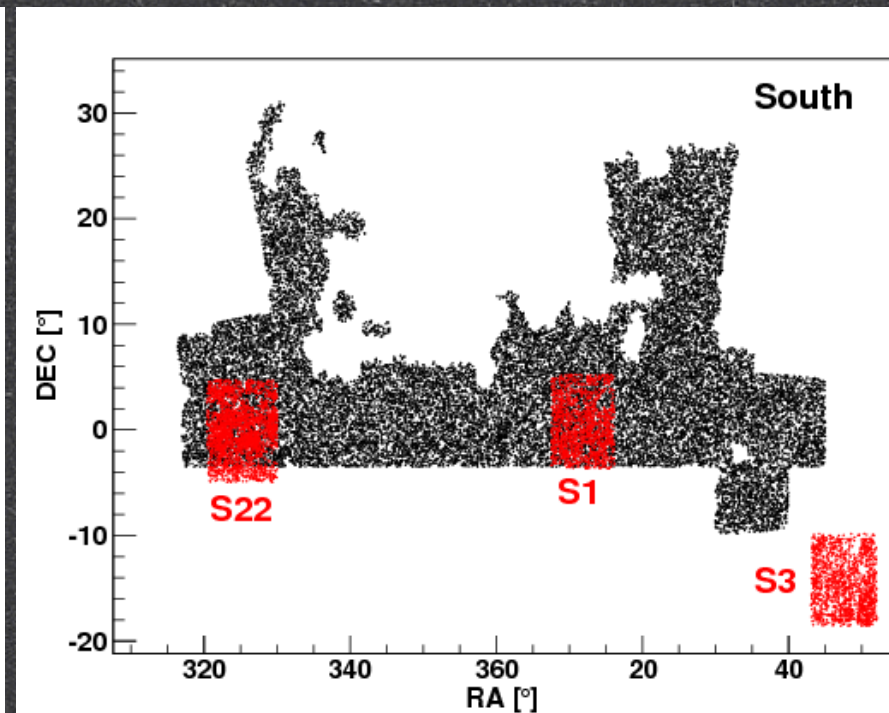
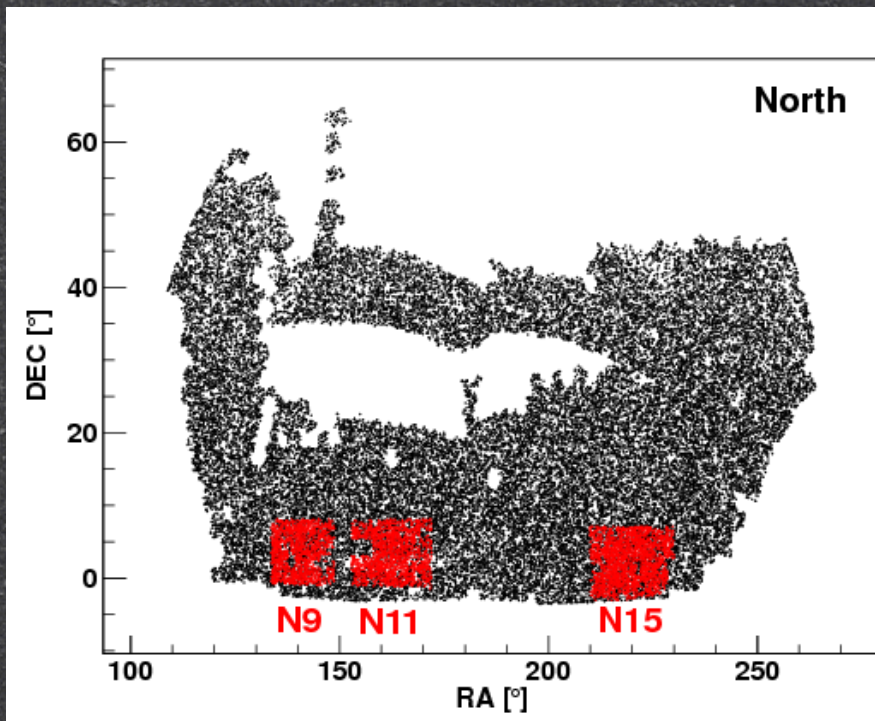
BOSS-DR10

- 15,000 sq deg
- Luminous red(der) galaxies
- populate clusters
- 550,000 galaxies $0.45 < z < 0.7$
- $n \sim 2.5 \times 10^{-4} \text{ (Mpc/h)}^{-3}$
- $b \sim 2 @ z \sim 0.6$



BOSS-WiggleZ overlap

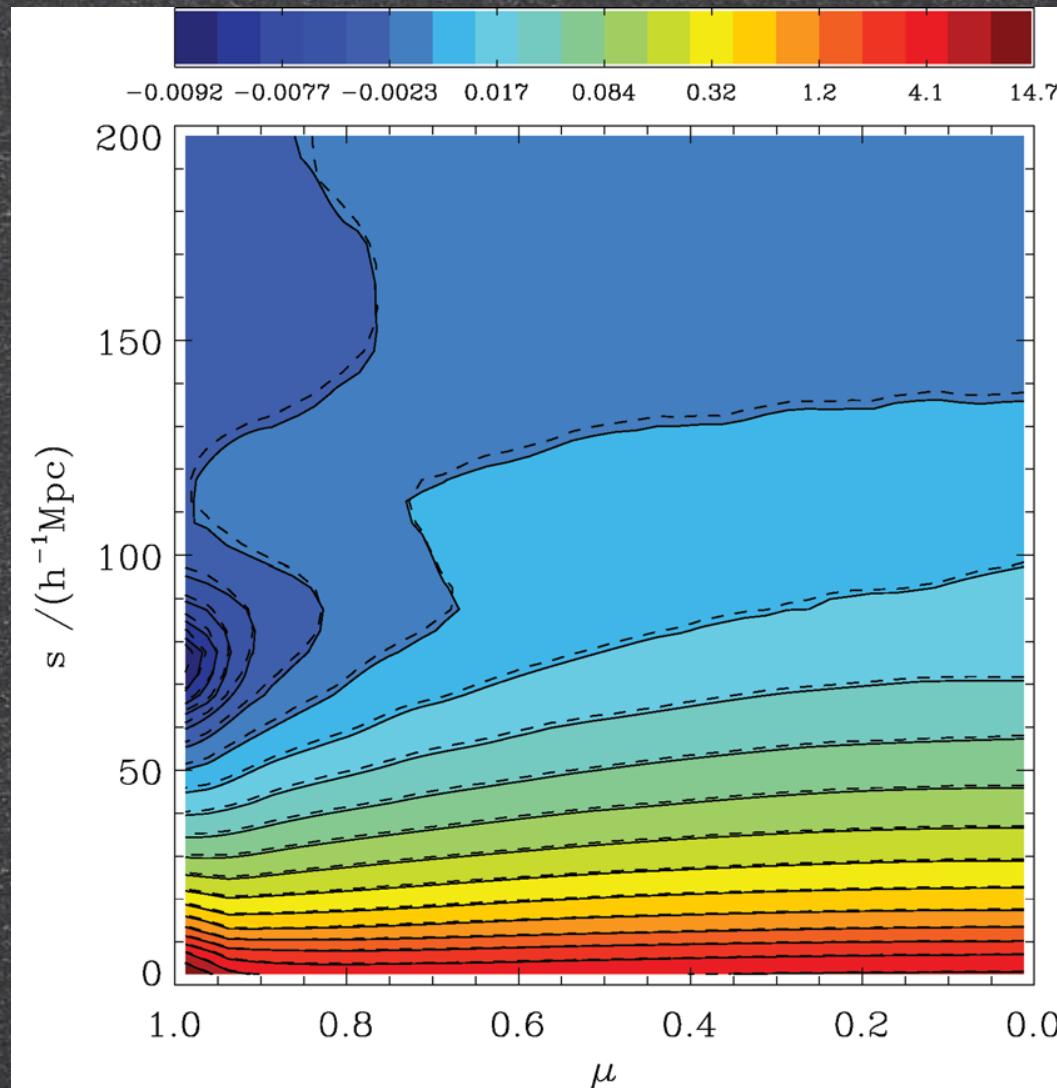
- $0.43 < z < 0.7$ x 560 sq deg ~ 0.2 (Gpc/h)³
- 68,900 WiggleZ galaxies
- 45,802 CMASS DR10 galaxies
- No galaxy belonging to both (i.e. not counting twice)!



credit: F Beutler, C Blake

we measure...

$$\xi_{\text{auto}}(s, \mu) = \frac{wDD(s, \mu) - 2wDR(s, \mu) + wRR(s, \mu)}{wRR(s, \mu)},$$



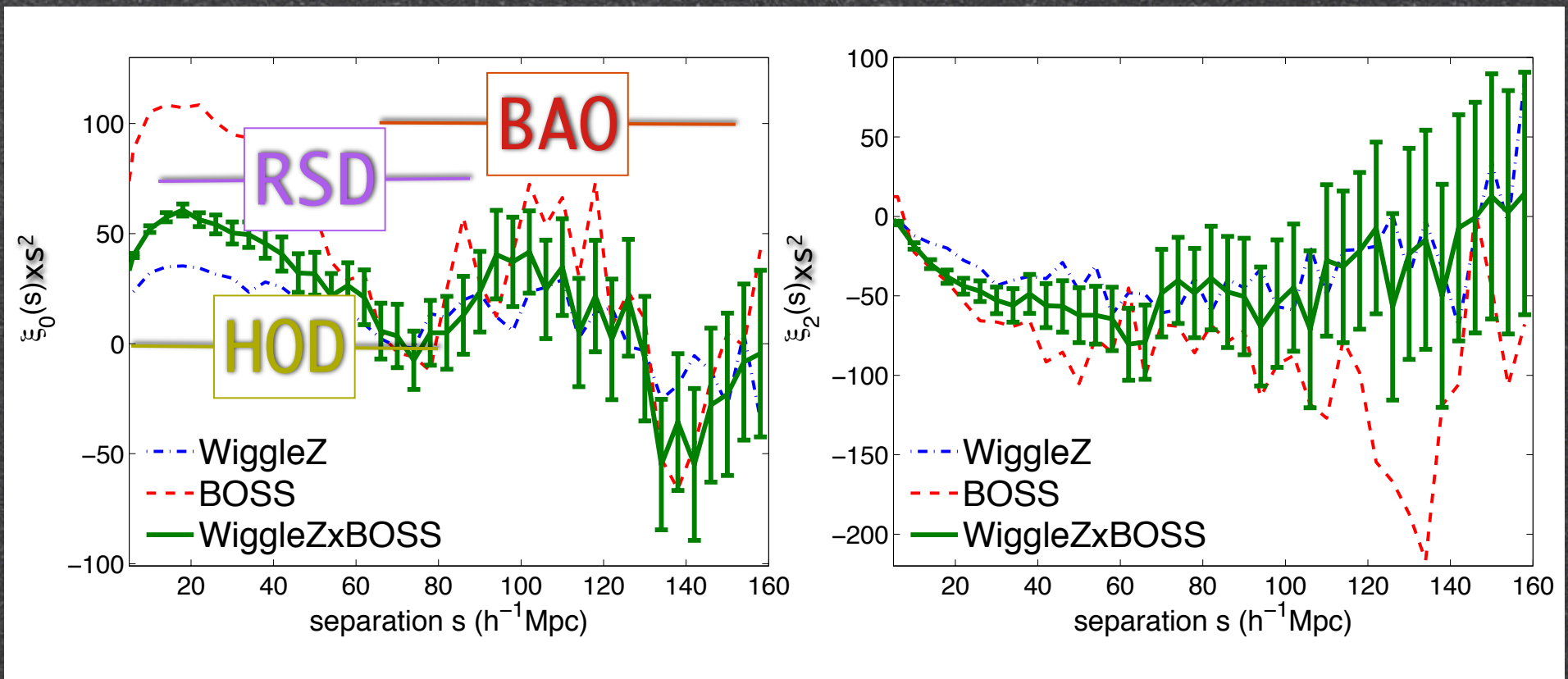
Kazin+ 2013

Auto- and cross-2PCF multipoles

- Monopole & Quadrupole (compress info)

$$\xi_l = \frac{2l + 1}{2} \int_{-1}^1 \xi(s, \mu) L_l(\mu) d\mu,$$

- What can you learn from these?



our method

- For auto-2PCF in redshift space

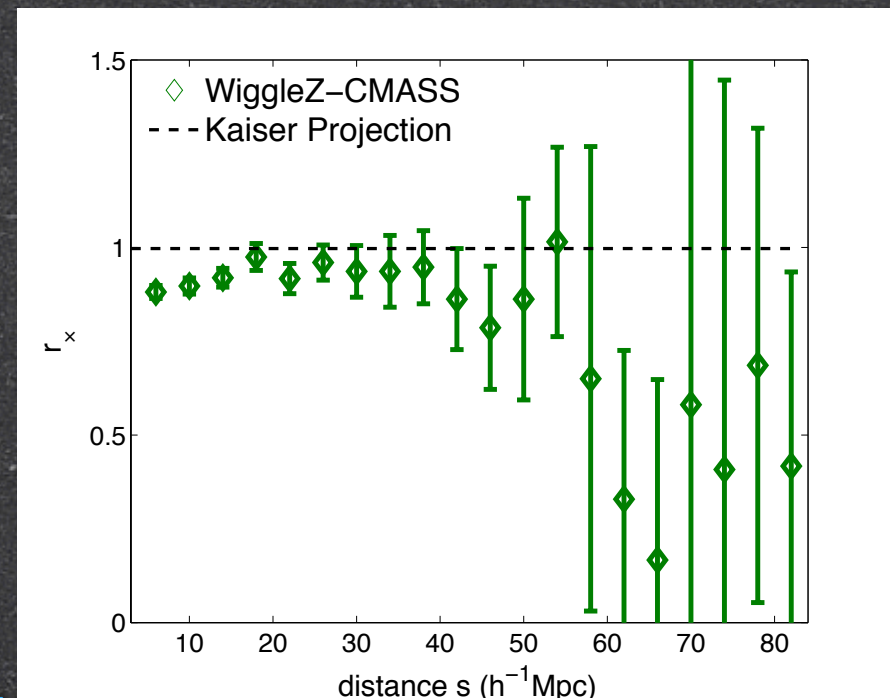
large-scale:
Kaiser effect

$$P_a^s(k, \mu) = \frac{b^2 P_{\delta\delta}(k) + 2\mu^2 fb P_{\delta\theta}(k) + \mu^4 f^2 P_{\theta\theta}(k)}{1 + [k\mu\sigma_v(1+z)/H(z)]^2}$$

small-scale: Fingers of God

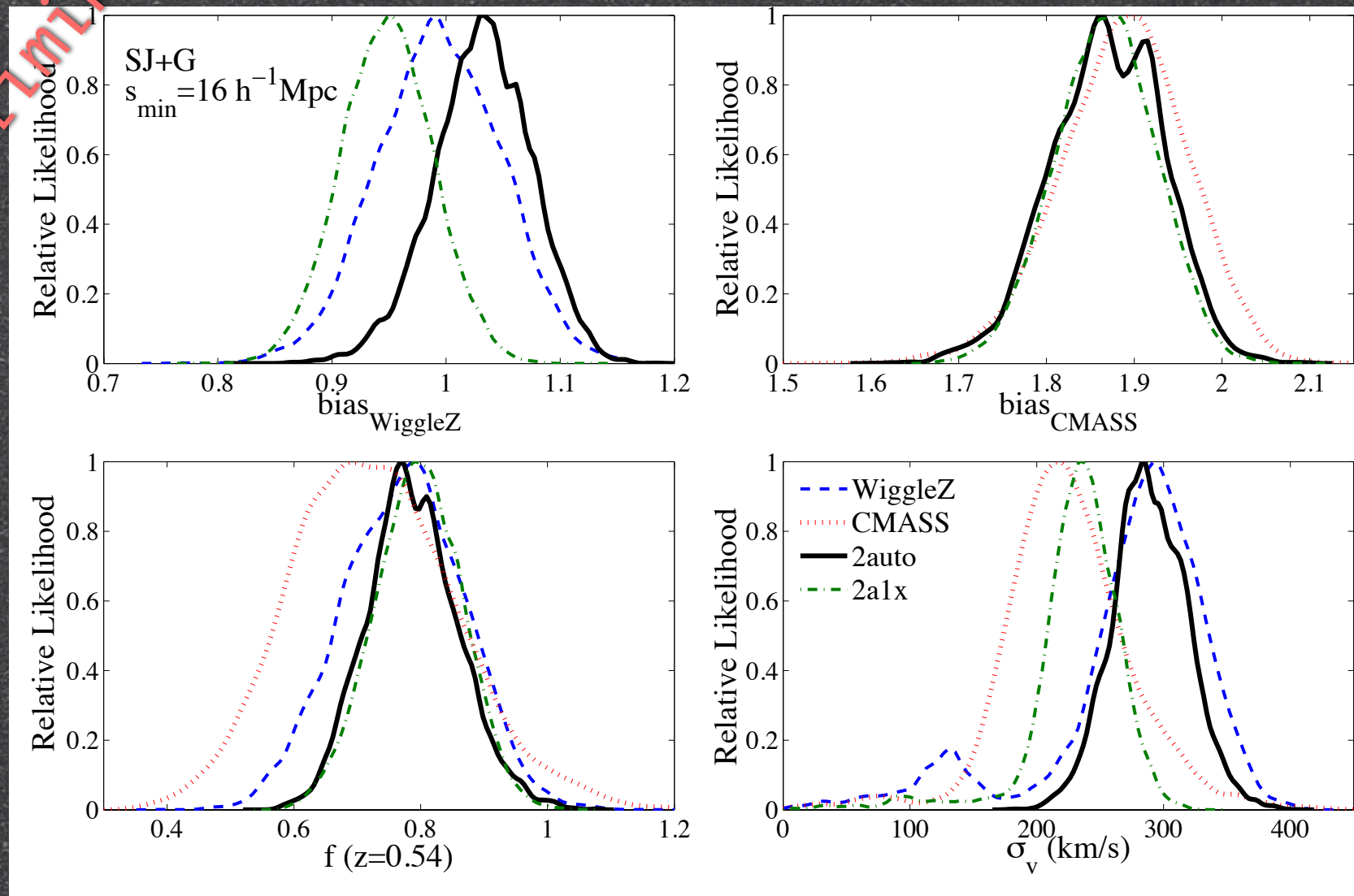
- Fit for b_{WiggleZ} , b_{CMASS} , f , σ_v

- Use common covariance:
Jack-knife errors

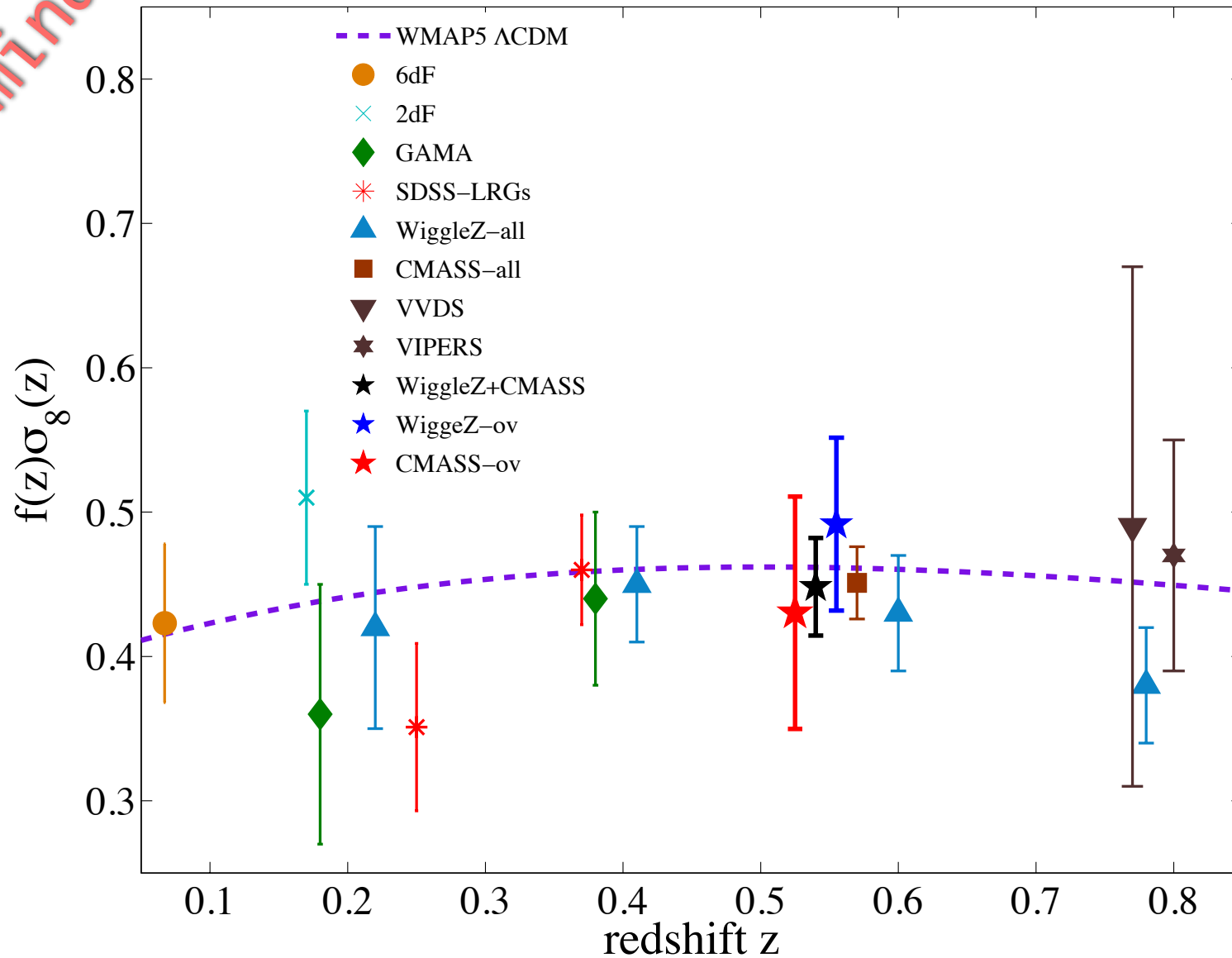


4-parameter MCMC

Preliminary



Preliminary



Summary

- Studying clustering of different galaxy types in an overlapping volume has several advantages:
 - study bias and RSD systematics
 - lower shot noise in measurements
 - avoid cosmic variance
- We measure 2D-2PCF of WiggleZ and BOSS galaxies and improve on measurements of the growth rate - consistent with Λ CDM predictions
- Future work: test more RSD models, add WIZCOLAS Covariance Matrix. Can we constraint other gravity models? Stay tuned!

gracias!