

THE COSMIC WEB:

LARGE SCALE STRUCTURE IN DIFFERENT GEOMETRIC ENVIRONMENTS

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IfA, Edinburgh

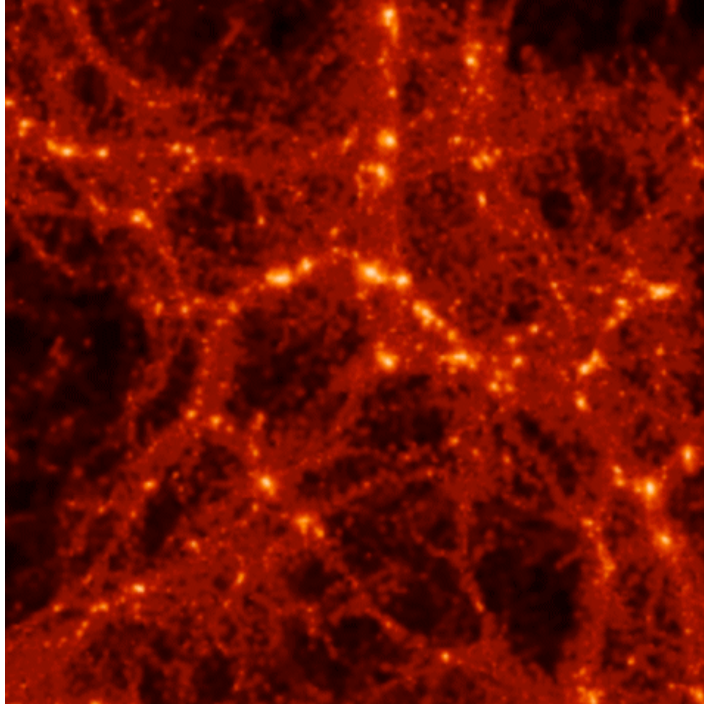
With John Peacock and Catherine Heymans

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Contents

- Geometric Environments:
 - How to quantitatively classify them
- Application to Simulations:
 - Comparisons to Gaussian theory
- Application to Observational Datasets:
 - GAMA luminosity and mass functions as $f(\text{environment})$
- Summary

Classifying the Geometric Environments



- VOIDS
- SHEETS
- FILAMENTS
- KNOTS

Tidal Tensor Prescription:

$$T_{ij} = \frac{\partial^2 \phi}{\partial q_i \partial q_j}$$

Second derivative of gravitational potential indicates whether point is near a potential minima or potential maxima.

Eigenvalues of T_{ij} determine geometrical nature of each point in space.

Number of positive eigenvalues corresponds to the dimension of the stable manifold.

- Extension of the **Zel'dovich approximation**
- Uses second derivatives of the **gravitational potential**
e.g. Hahn et al. '06, Forero-Romero et al. '09

- 2 free parameters : λ_{th} Eigenvalue threshold,
 σ_s Smoothing scale.

Eigenvalues: $\alpha > \beta > \gamma$

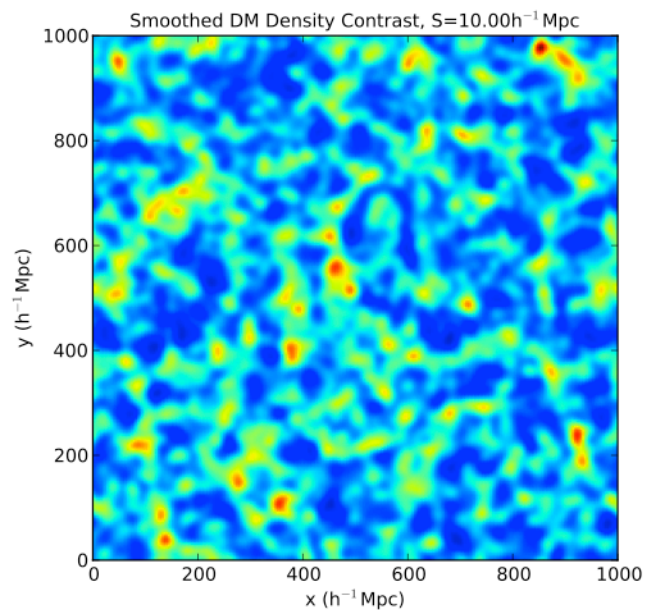
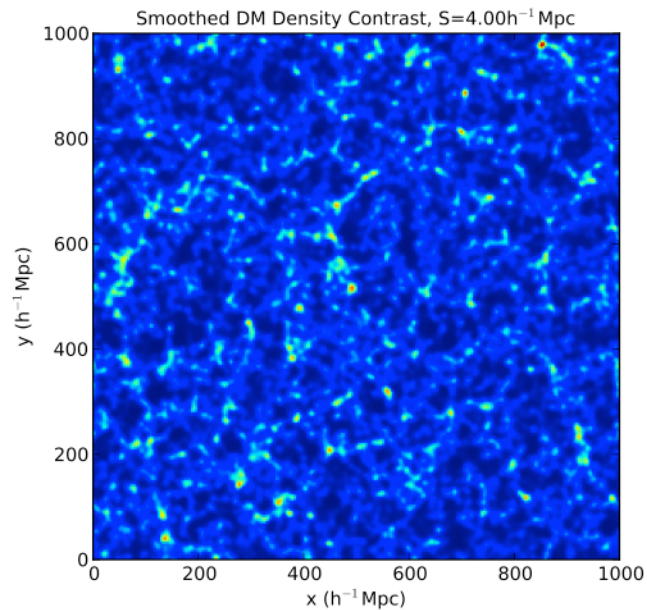
$\alpha, \beta, \gamma < \lambda_{th}$: **Void**

$\alpha > \lambda_{th}$: **Sheet**

$\alpha, \beta > \lambda_{th}$: **Filament**

$\alpha, \beta, \gamma > \lambda_{th}$: **Knot**

Application to Simulations



Smoothed
density
contrast

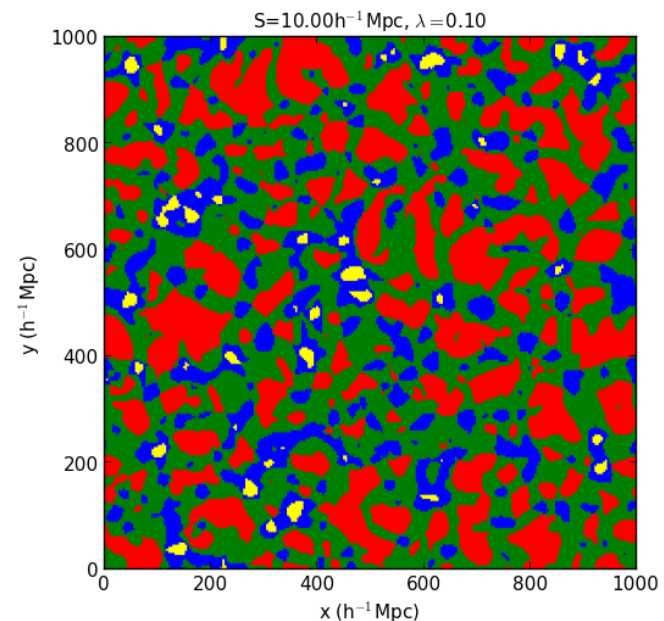
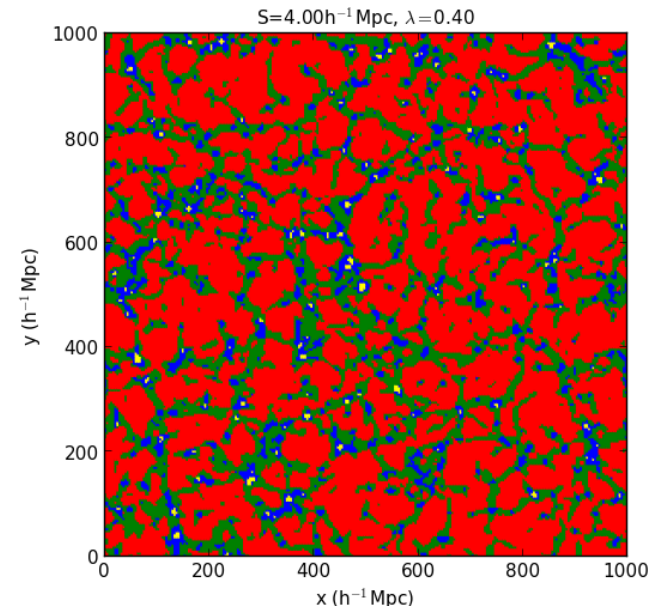
Resulting
environments:

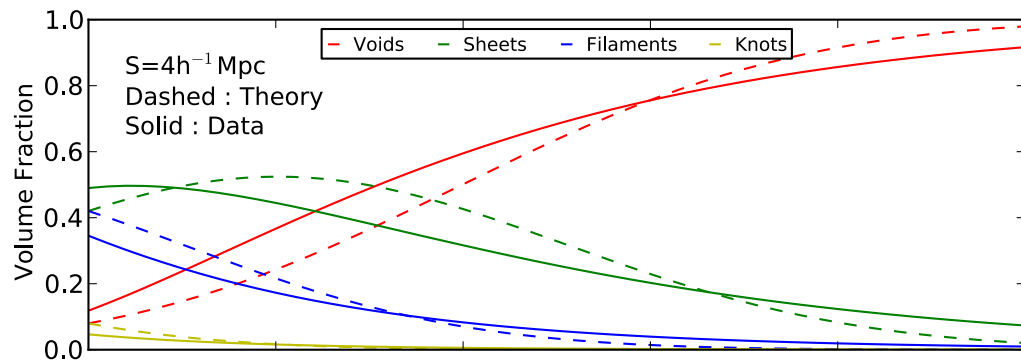
Voids

Sheets

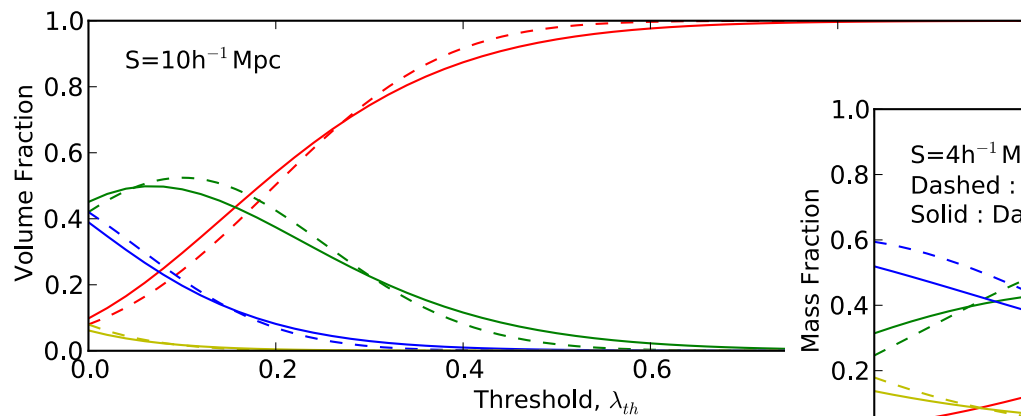
Filaments

Knots

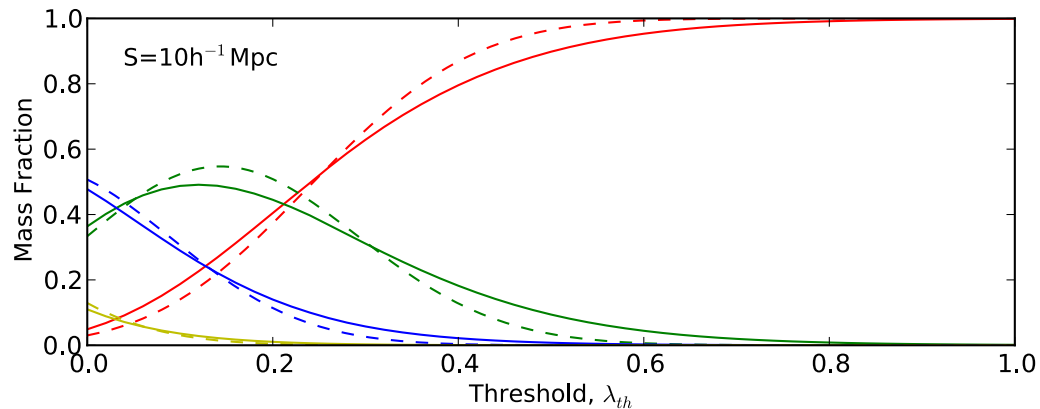
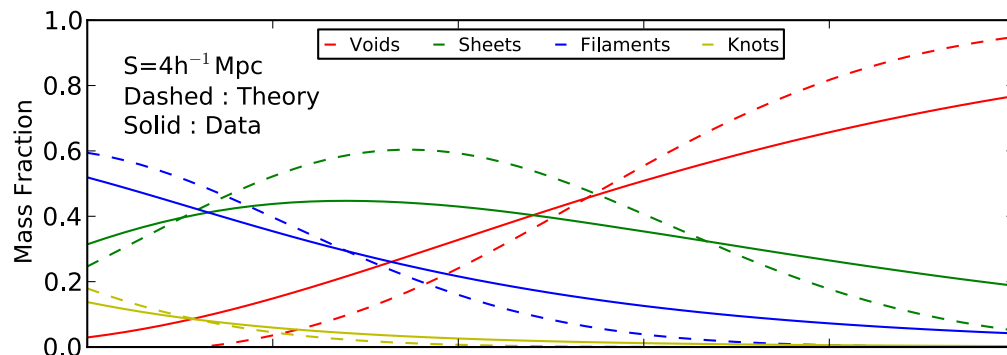




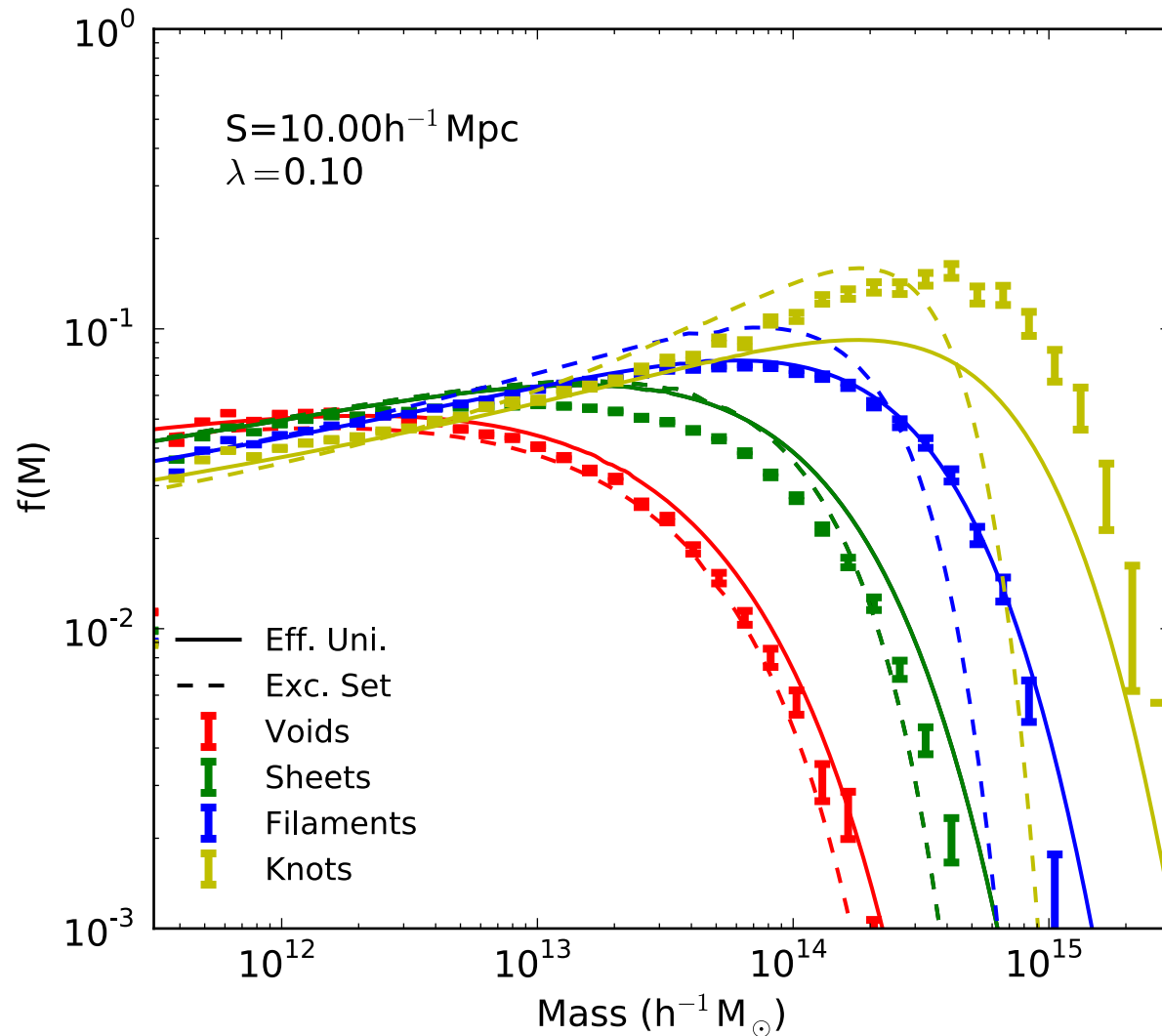
← Volume Fraction $f(\text{threshold})$



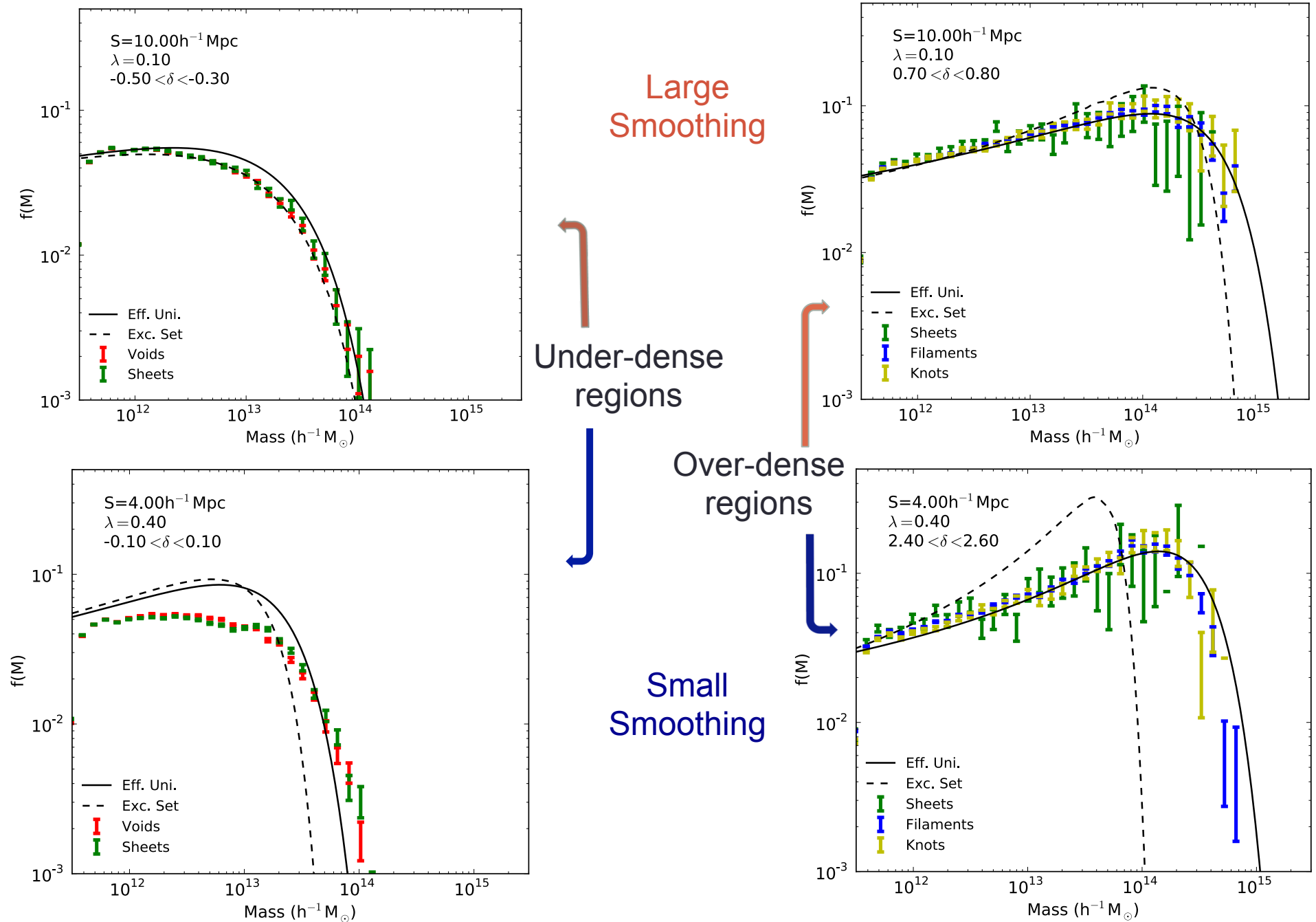
Mass Fraction $f(\text{threshold})$ →



The Conditional Halo Mass Function



$$f(M) = M^2 F(M) / \rho_{\text{av}}$$



Halo mass function varies by geometric environment, but is only dependent on the local density.

How about real **galaxies**?

GAMA: Galaxy And Mass Assembly

<http://www.gama-survey.org/>

Spectroscopic survey of $\sim 300,000$ galaxies down to $M_r < 19.8$
over $\sim 290 \text{ deg}^2$ using the AAT.

$z < 0.5$

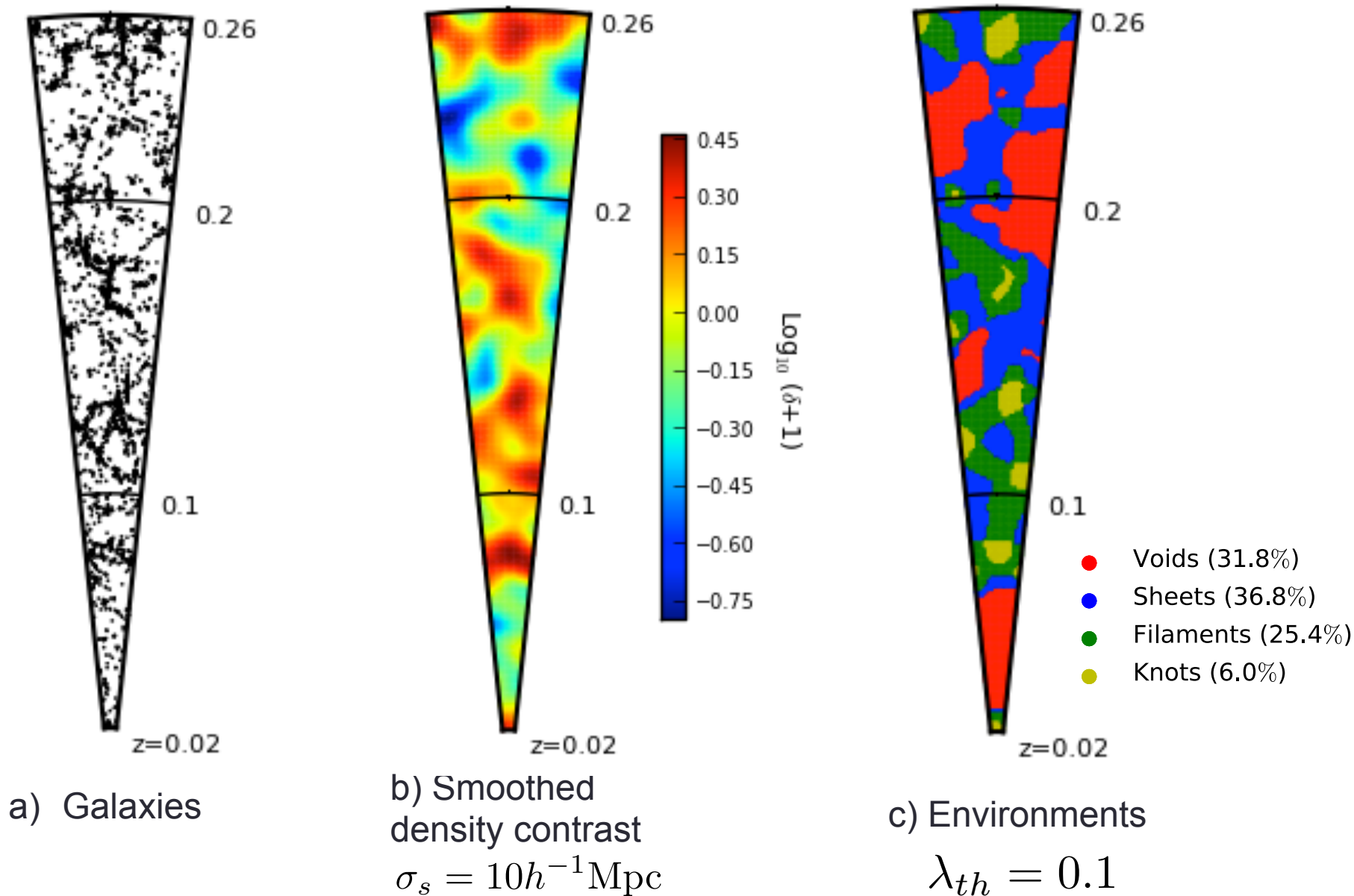
Three $5 \times 12 \text{ deg}^2$ fields completed: G9, G12, G15

Redshift completeness $> 98\%$

GAMA



Application to Galaxy Surveys: GAMA



Application to galaxy surveys: Observational Issues

Galaxies not DM
Biased tracers

Redshift
dependences

$Bias(z)$

$D(z)$

$L_{min}(z)$



Incompleteness

Limited volume

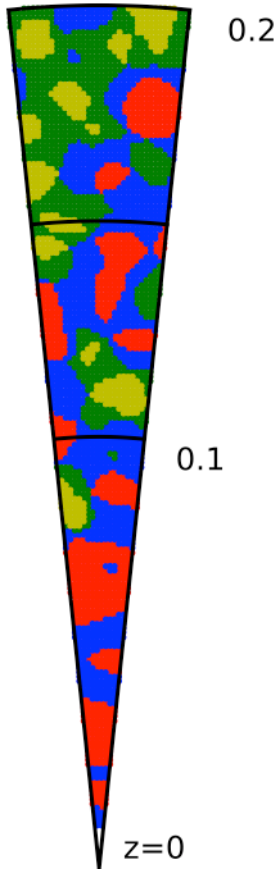
Edge effects

Non-periodic volume

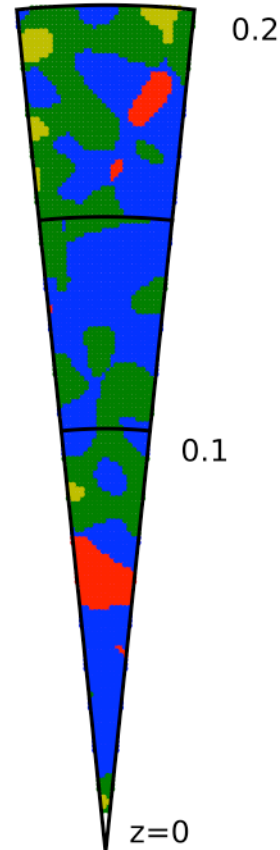
Application to galaxy surveys

How much does the limited survey volume affect results?

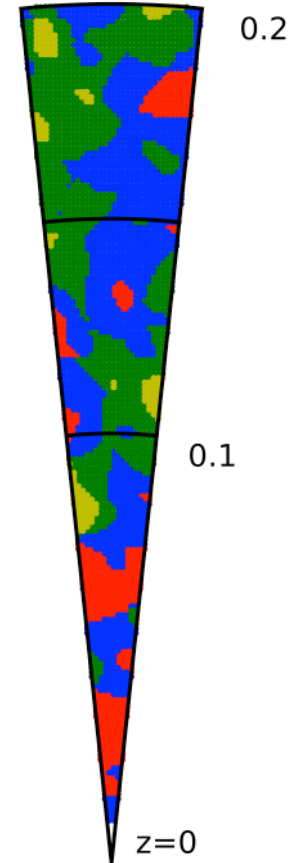
- Low redshift regions most affected
- Can be improved by 'reflecting' galaxies along survey boundaries



Survey volume
+ **zero-padding**

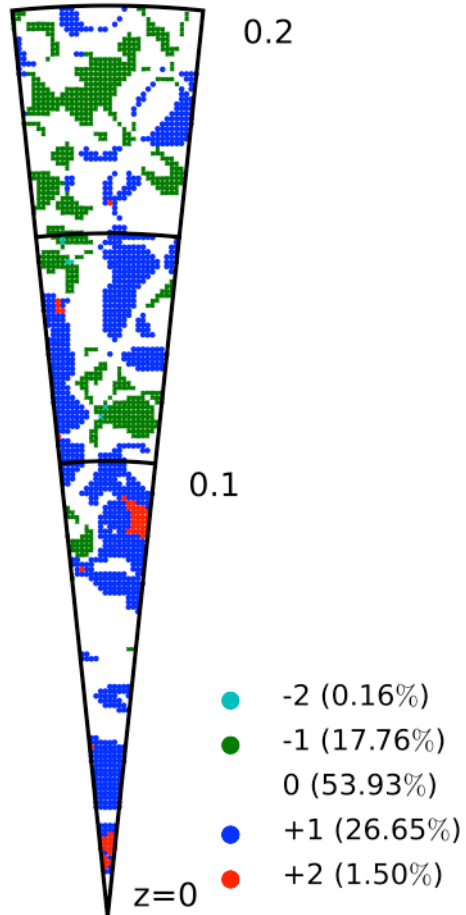


The "Truth" –
Full periodic
simulation used



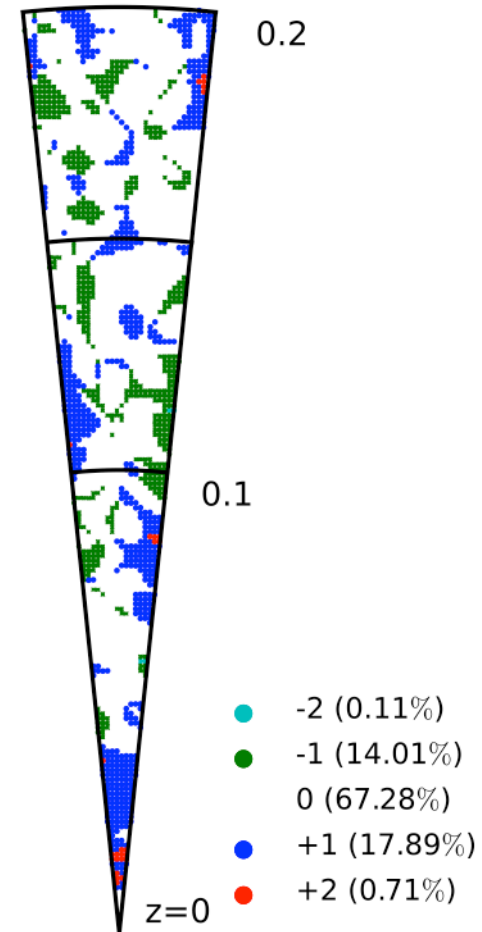
Survey volume
+ **Reflections**

Application to galaxy surveys



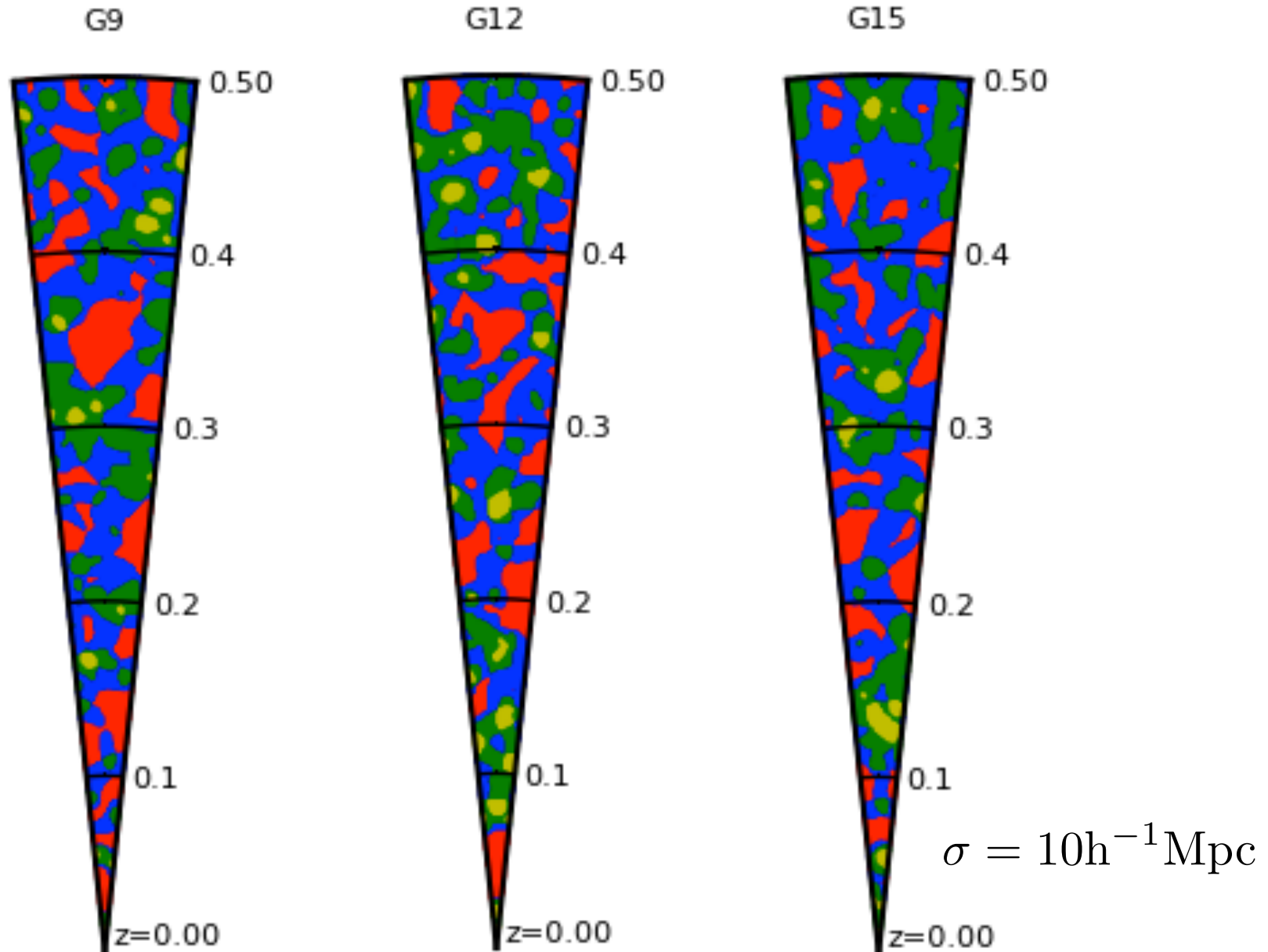
Survey volume
+ **zero-padding**

Regions which are classified differently when information outside the survey volume is discarded

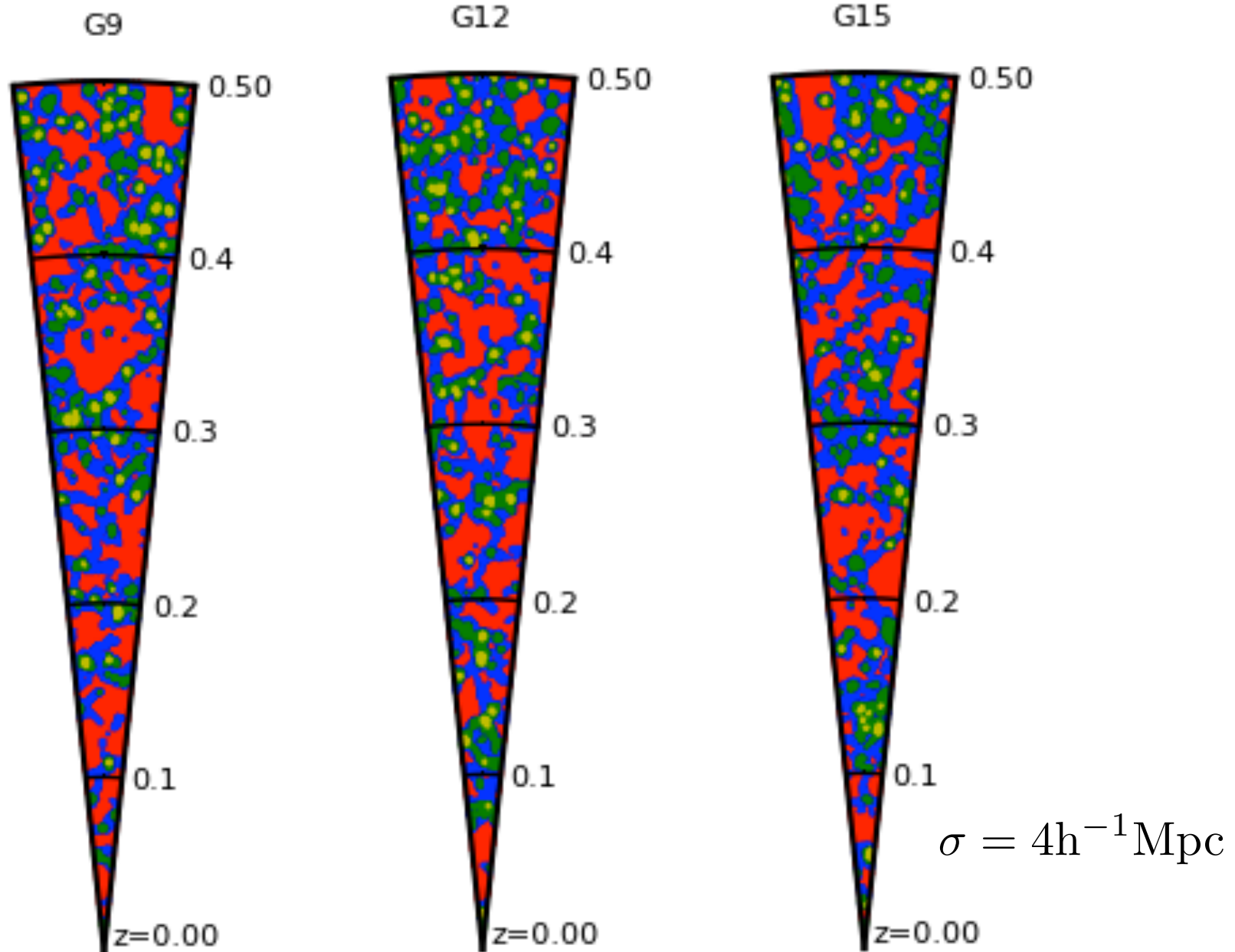


Survey volume
+ **reflections**

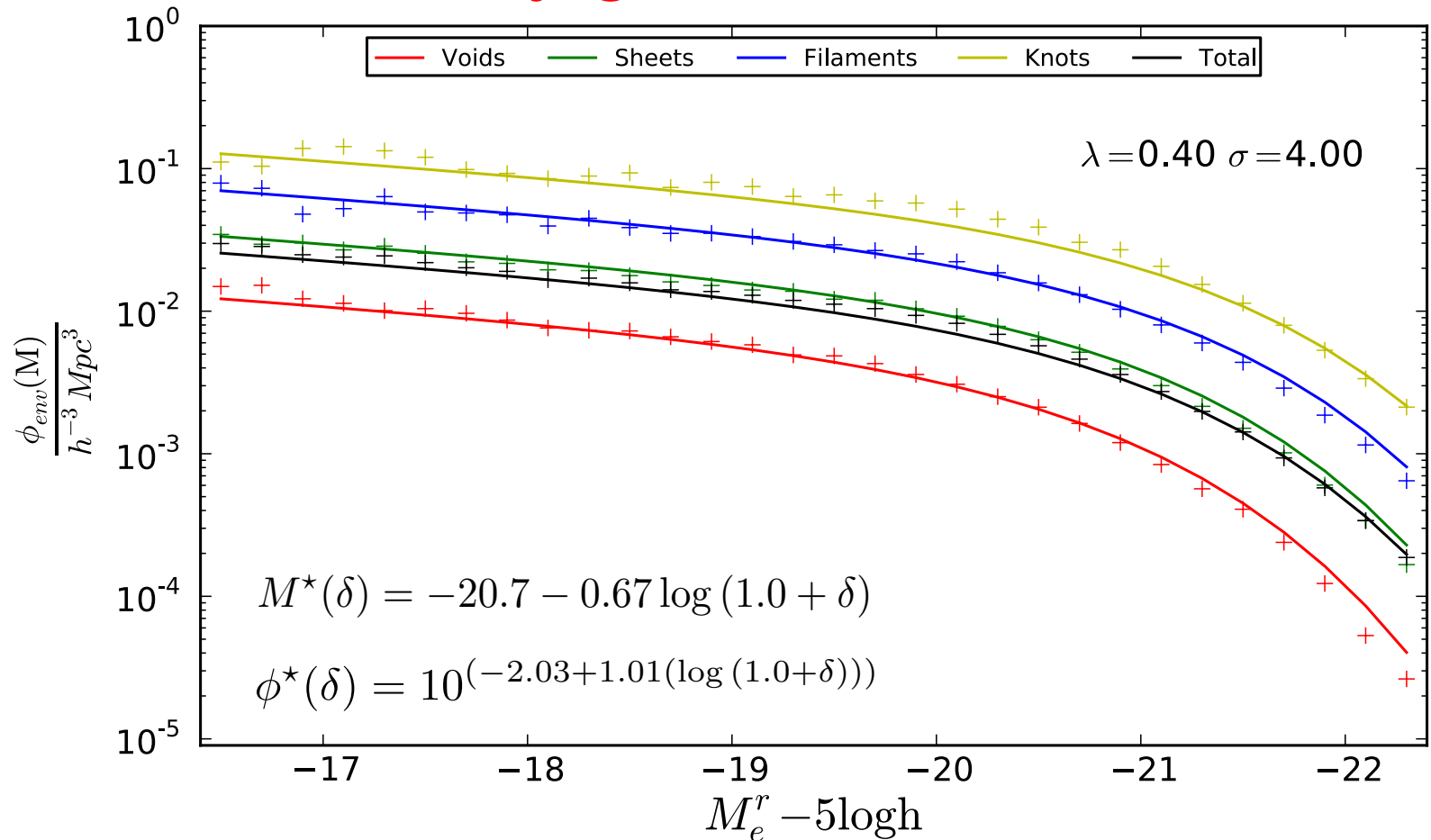
Application to Galaxy Surveys: GAMA Environments



Application to Galaxy Surveys: GAMA Environments

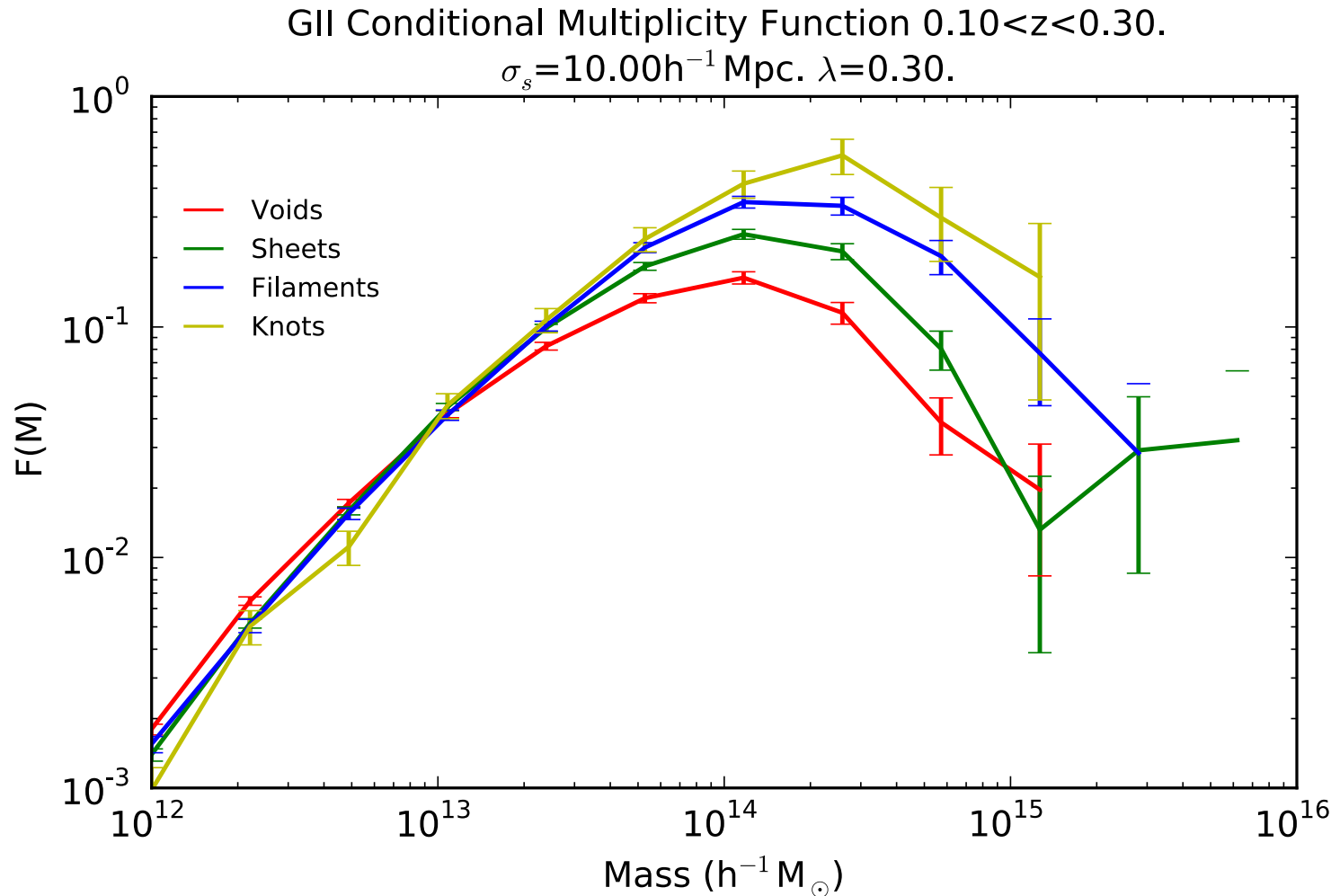


Modification of the galaxy luminosity function by geometric environment



$$\phi(M, \delta) = \frac{\ln 10}{2.5} \phi^*(\delta) 10^{0.4(M^*(\delta) - M)(1 + \alpha)} \exp(-10^{0.4(M^*(\delta) - M)})$$

Observed Mass Distribution as $f(\text{Environment})$



SUMMARY

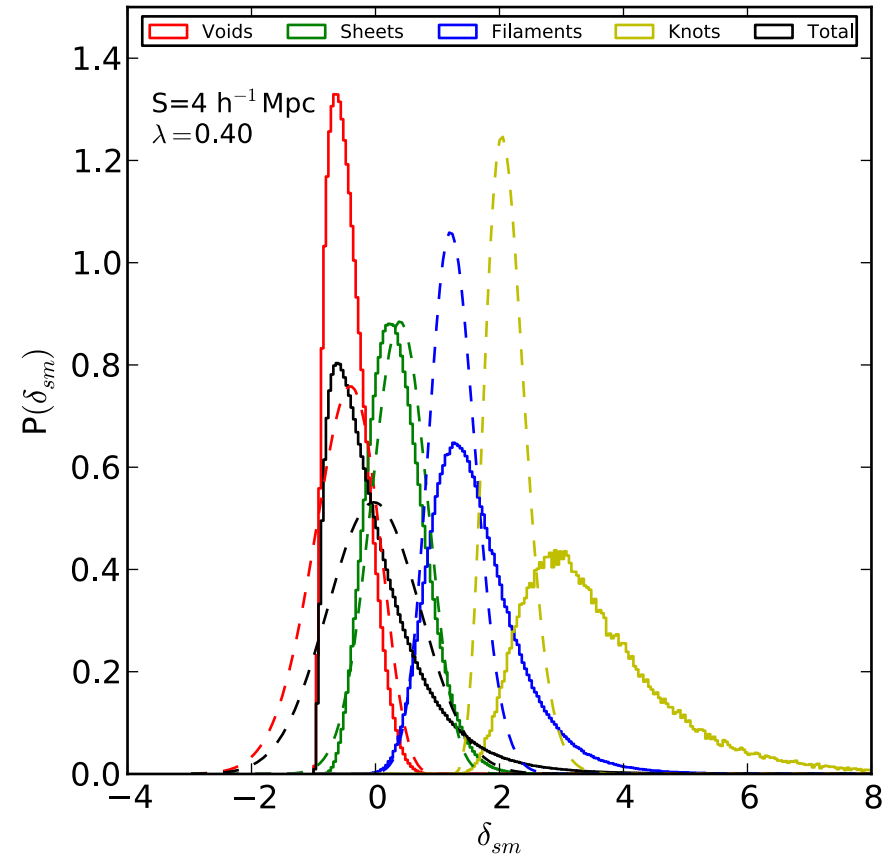
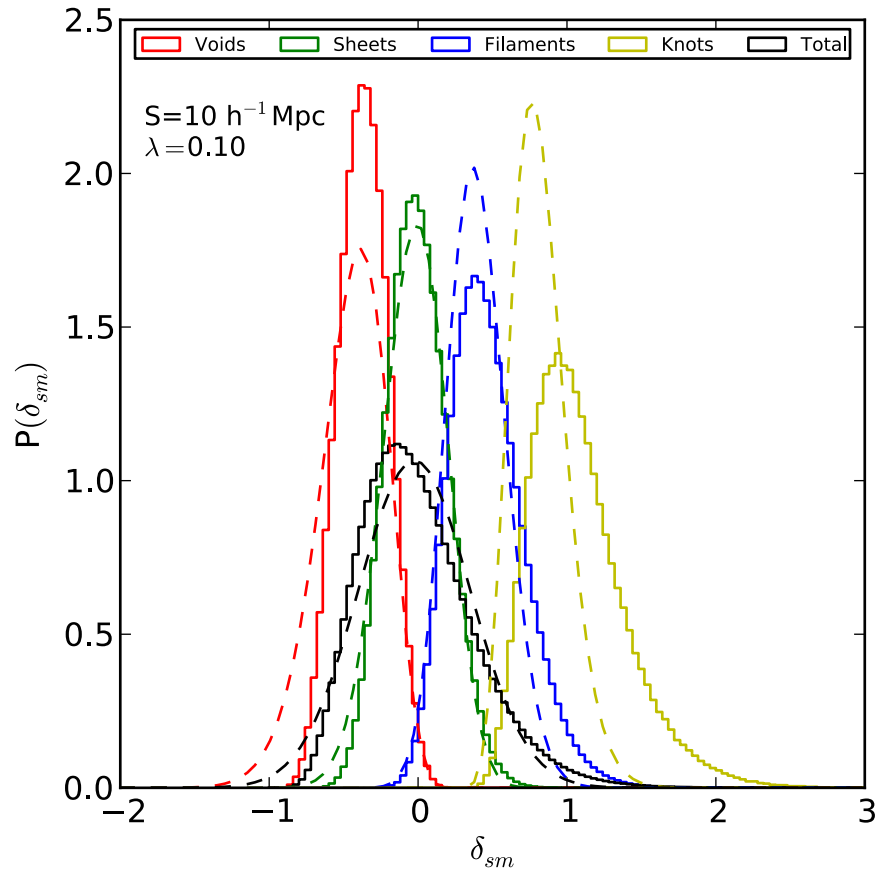
Geometric environments can be defined in simulated and observed datasets via the tidal tensor

Mass functions can be compared with Gaussian linear theory – no explicit dependence on geometric environments expected

Distributions of observed luminosities shows a similar lack of geometric dependence

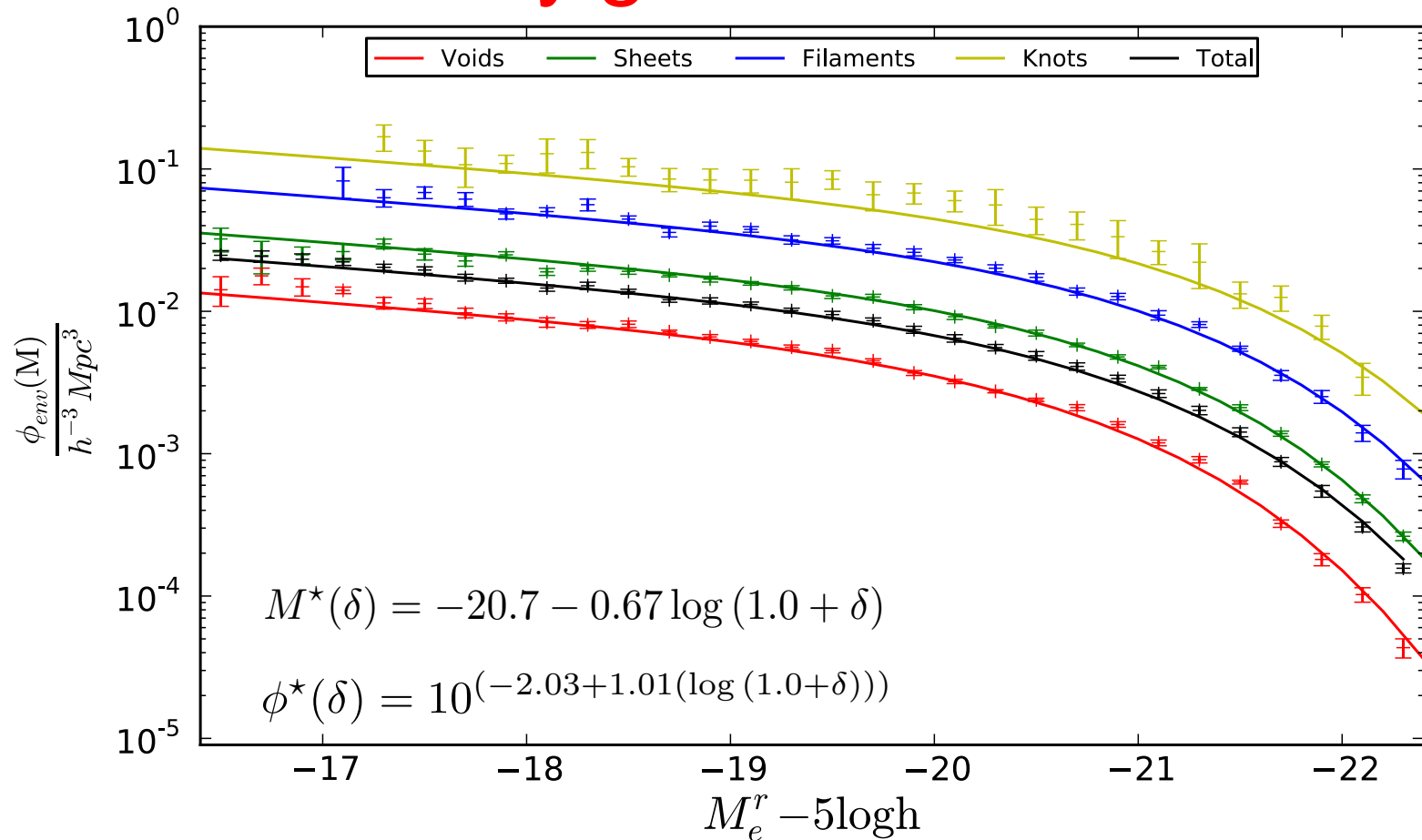
Analysis can be extended to other properties of LSS – e.g. weak lensing and star formation histories

Thanks for listening! 😊



Density distributions

Modification of the galaxy luminosity function by geometric environment



$$\phi(M, \delta) = \frac{\ln 10}{2.5} \phi^*(\delta) 10^{0.4(M^*(\delta) - M)(1 + \alpha)} \exp(-10^{0.4(M^*(\delta) - M)})$$